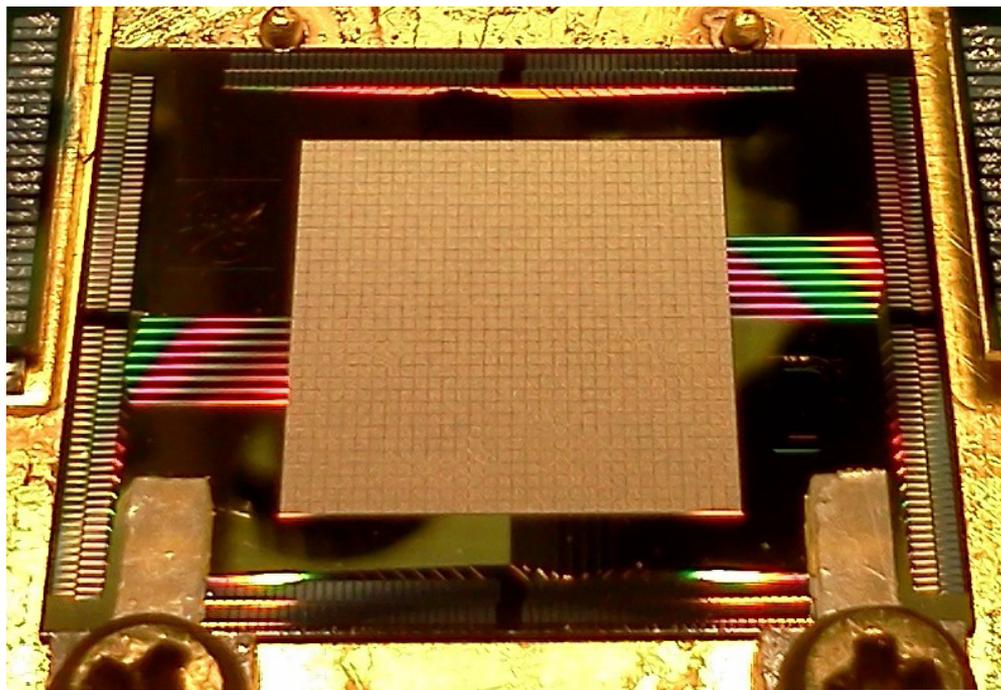




Development of Microcalorimeter Imaging Spectrometers for the X-ray Surveyor Mission

Simon Bandler – X-ray microcalorimeter group at NASA/GSFC



- X-ray detector options
- Transition-edge sensor basic operation
- “Standard” and “small” pixels
 - how small can we go?
- Multi-absorber devices & Hybrids
- Multiplexing
- Filter options

Suggested X-ray Surveyor microcalorimeter requirements from earlier study

- Pixel size: 1"
- Field-of-View: At least 5' x 5'
- Energy resolution [FWHM]: < 5 eV
- Count rate capability: < 1 count per second per pixel
- For a focal length of optic of 10 m, 1" corresponds to 50 μm pixels

5' field-of-view with 1" pixels requires a nominal 300 x 300 array => 90,000 pixels

Two categories of low temperature detectors

Equilibrium:

ΔT prop to $\Delta E/C$ - sensor is in thermal equilibrium

Resolution from: accuracy of measuring T in background of T fluctuations

Low-temperature => minimizing thermodynamic fluctuations & low C

For high energy resolution, $T < \sim 0.1$ K is required.

Non-equilibrium:

Energy => quantized excitations ($E \gg kT$)

Energy prop. to # of excitations

Low T required to avoid thermally generated excitations

Most successful low-temperature detector technologies:

Semiconducting thermistors

Transition Edge Sensors – TES

Metallic Magnetic Calorimeters – MMC

Magnetic Penetration-Depth Thermometers – MPT

Superconducting Tunnel Junctions – STJ

Microwave Kinetic Inductance Detectors – MKIDs

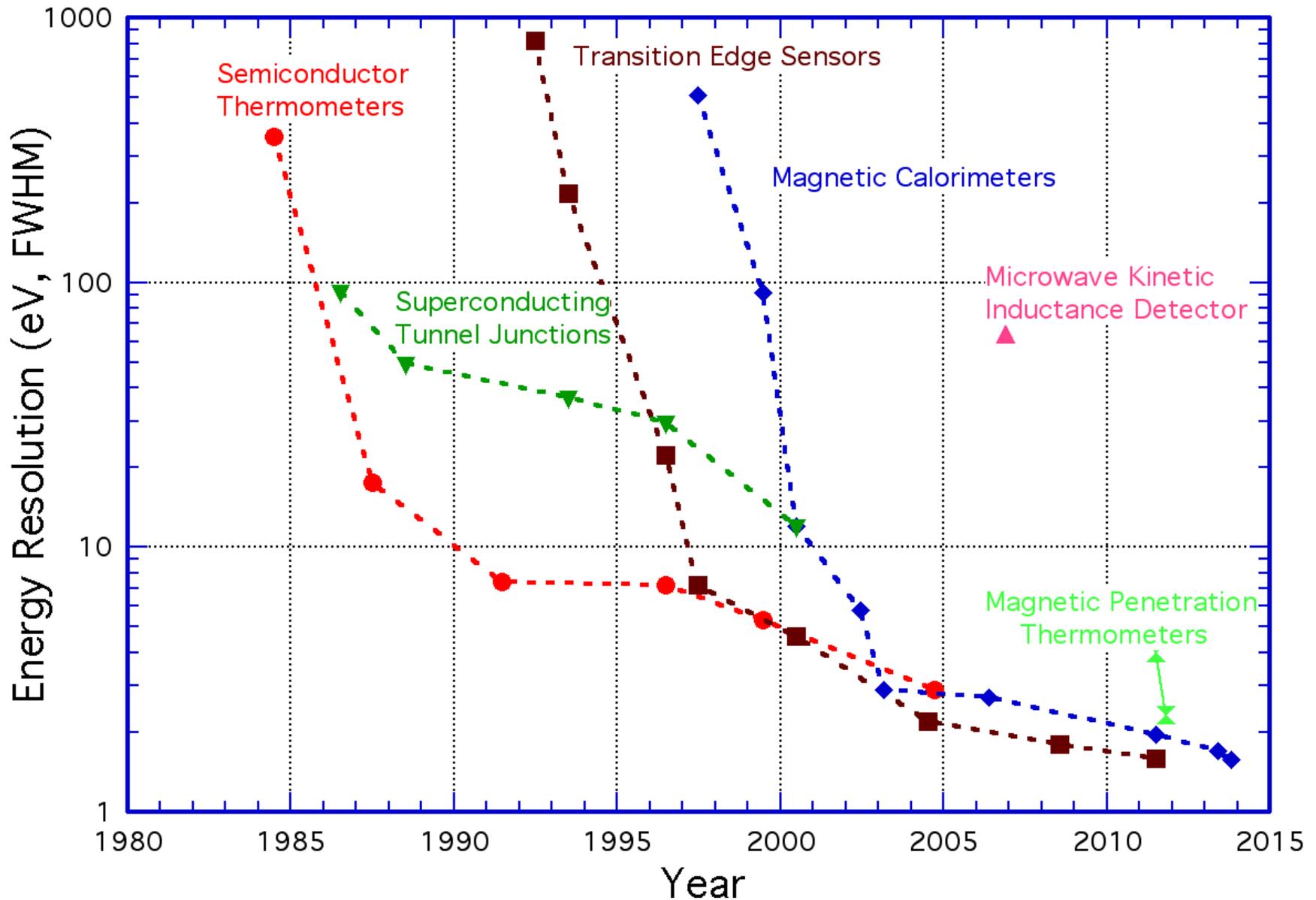


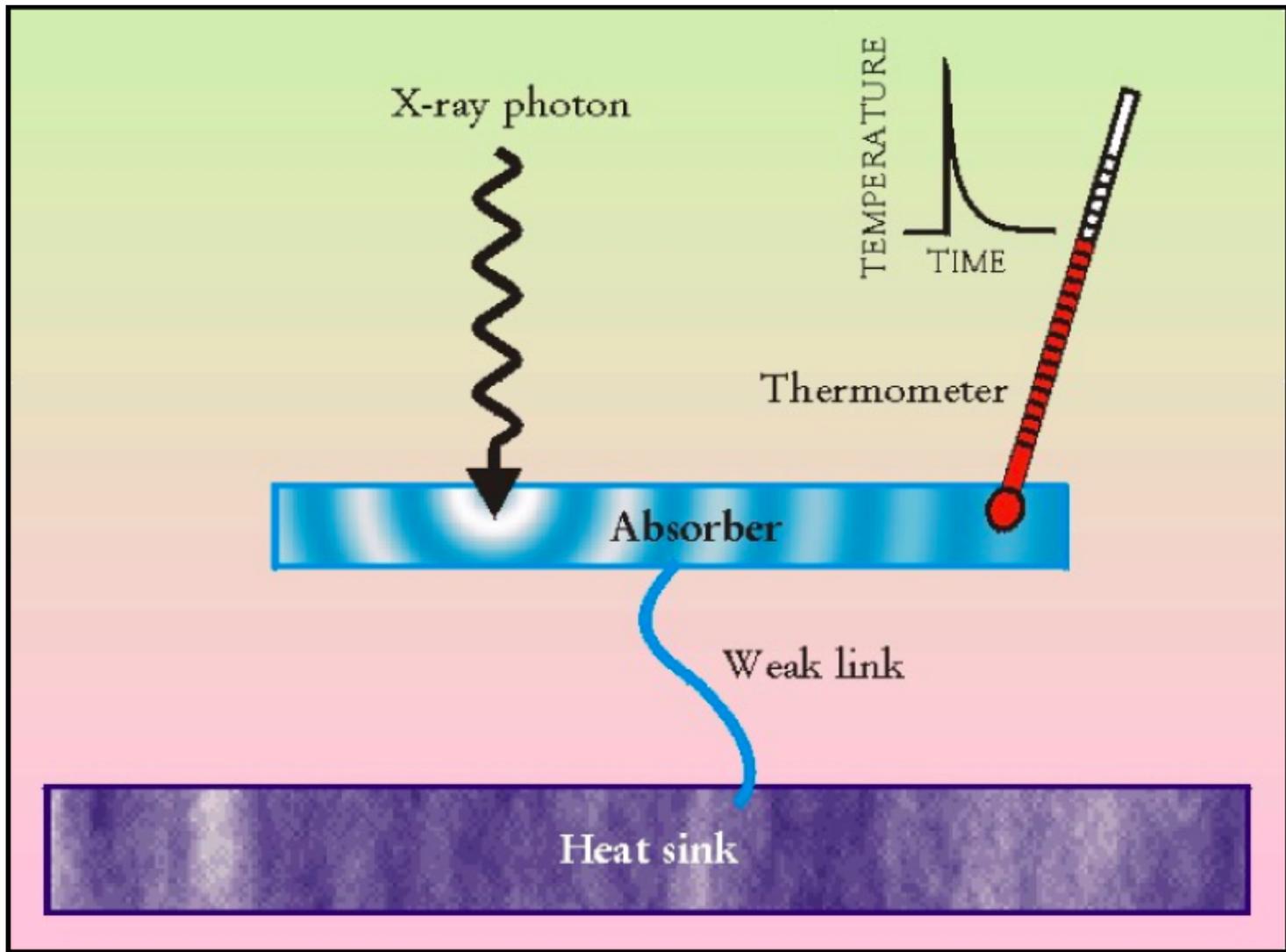
Equilibrium detectors

Non-Equilibrium detectors

S.H. Moseley, J.C. Mather, D. McCammon, J. Appl. Phys. 56, 1257 (1984) :

X-ray microcalorimeters capable of 1 eV energy resolution with 6 keV X-rays





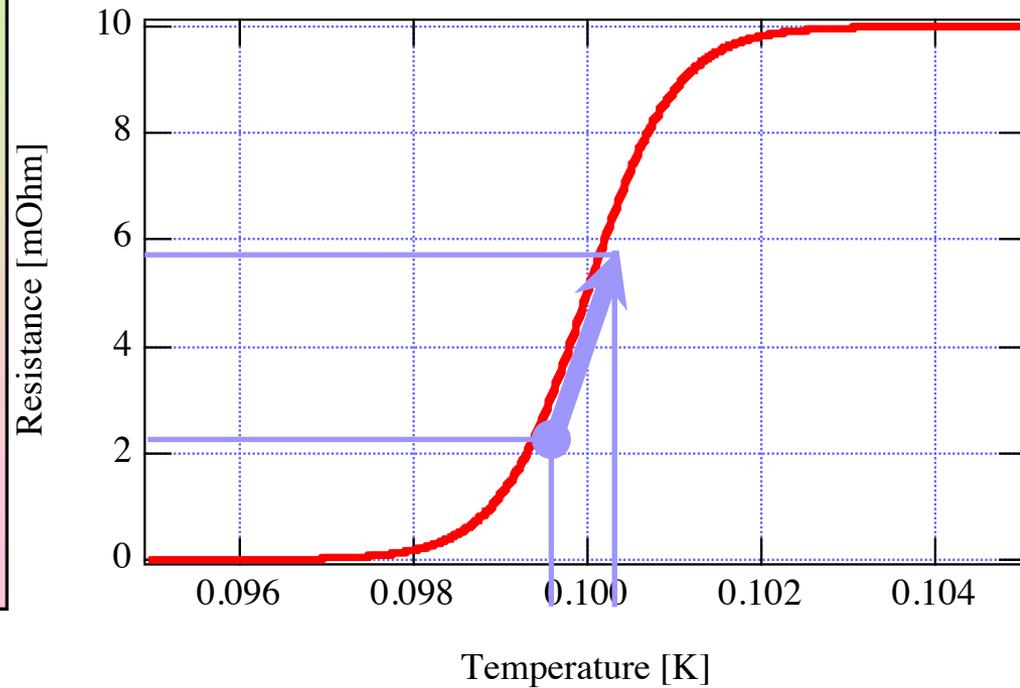
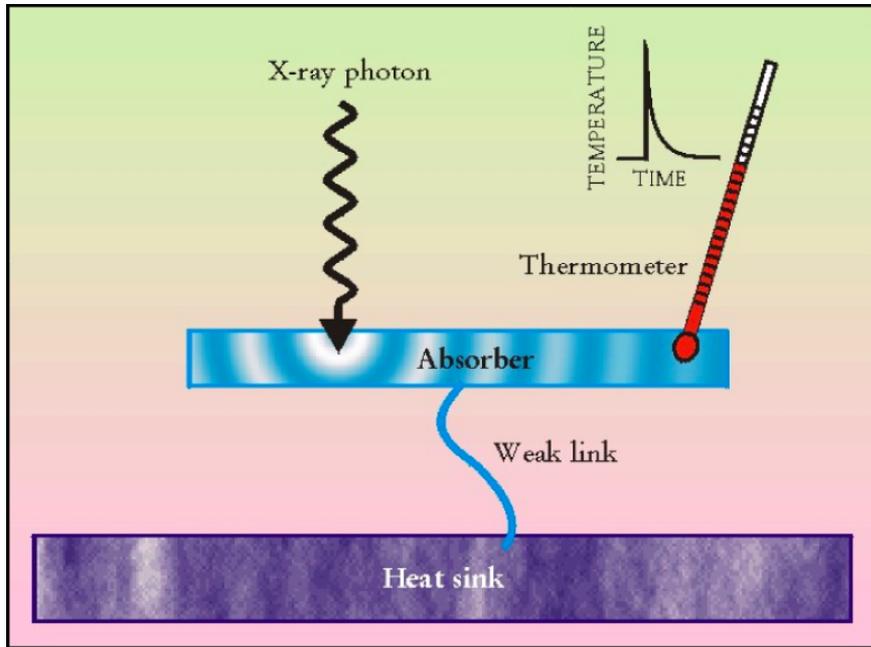
$$\delta T = \frac{E}{C_{\text{tot}}}$$

Thermal relaxation time:

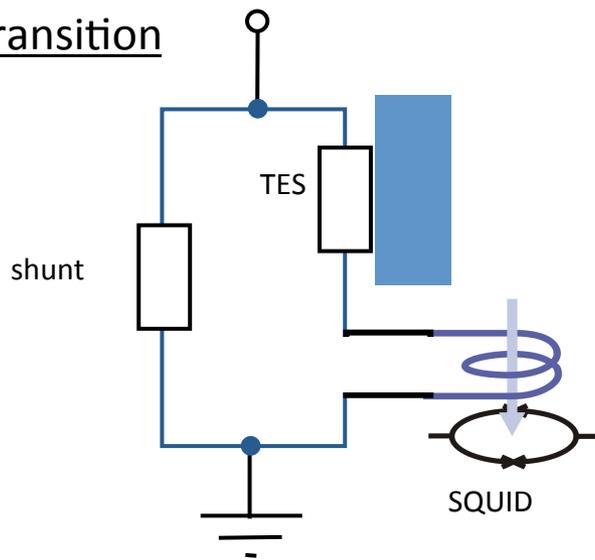
$$\tau = \frac{C_{\text{tot}}}{G}$$

Thermal conductance

Transition-edge Sensor microcalorimeter basics:



Superconductor voltage-biased in its transition

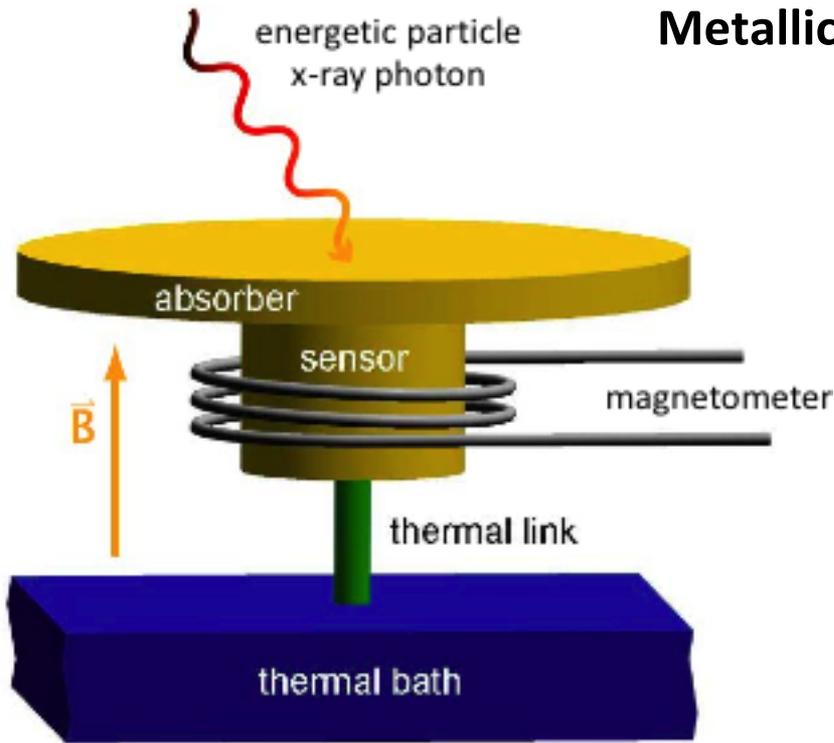


Basic optimization for a linear response:

Choose absorber with low C and fast thermalization C, α such that maximum energy events approach saturation

=> large quasi-linear range of operation

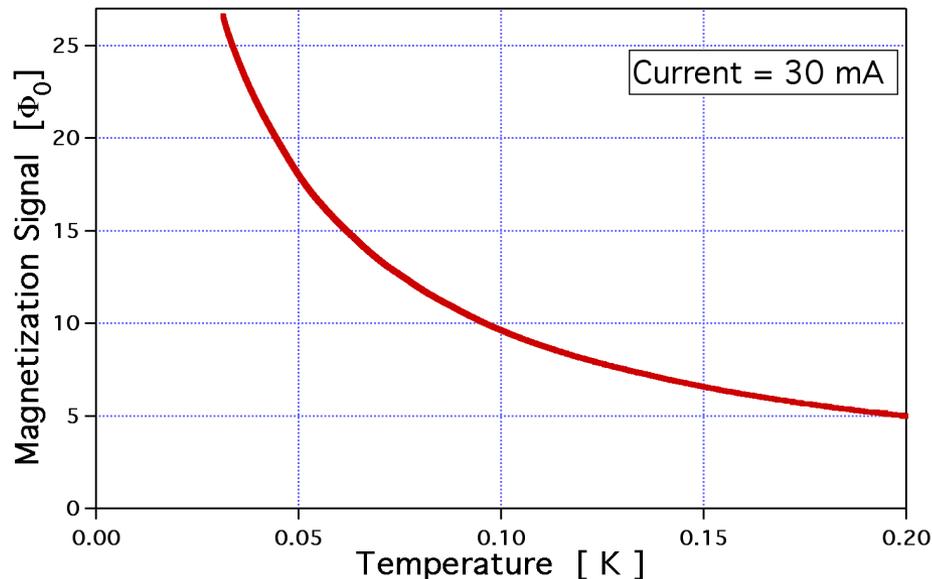
Metallic Magnetic Calorimeters (MMC)



Paramagnetic sensor: Au:Er
(Ag:Er, ...)

$$M \propto \frac{1}{T}$$

$$\delta M = \frac{\partial M}{\partial T} \delta T = \frac{\partial M}{\partial T} \frac{\delta E}{C}$$

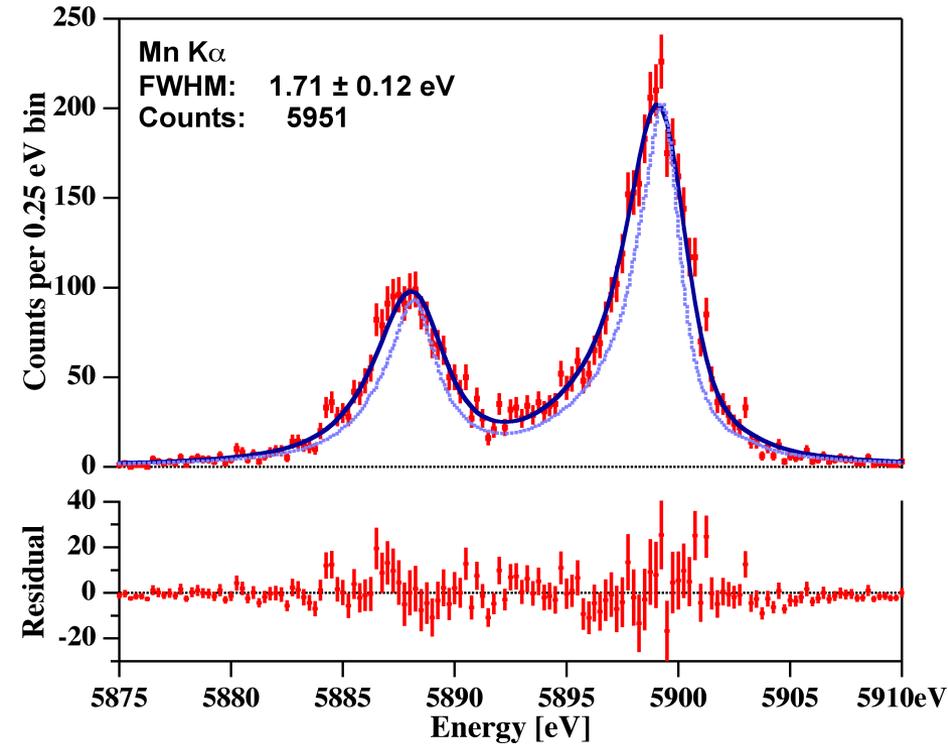


- No heat dissipated in the sensor
- No electrical Johnson noise
- Performance properties based upon equilibrium thermodynamics

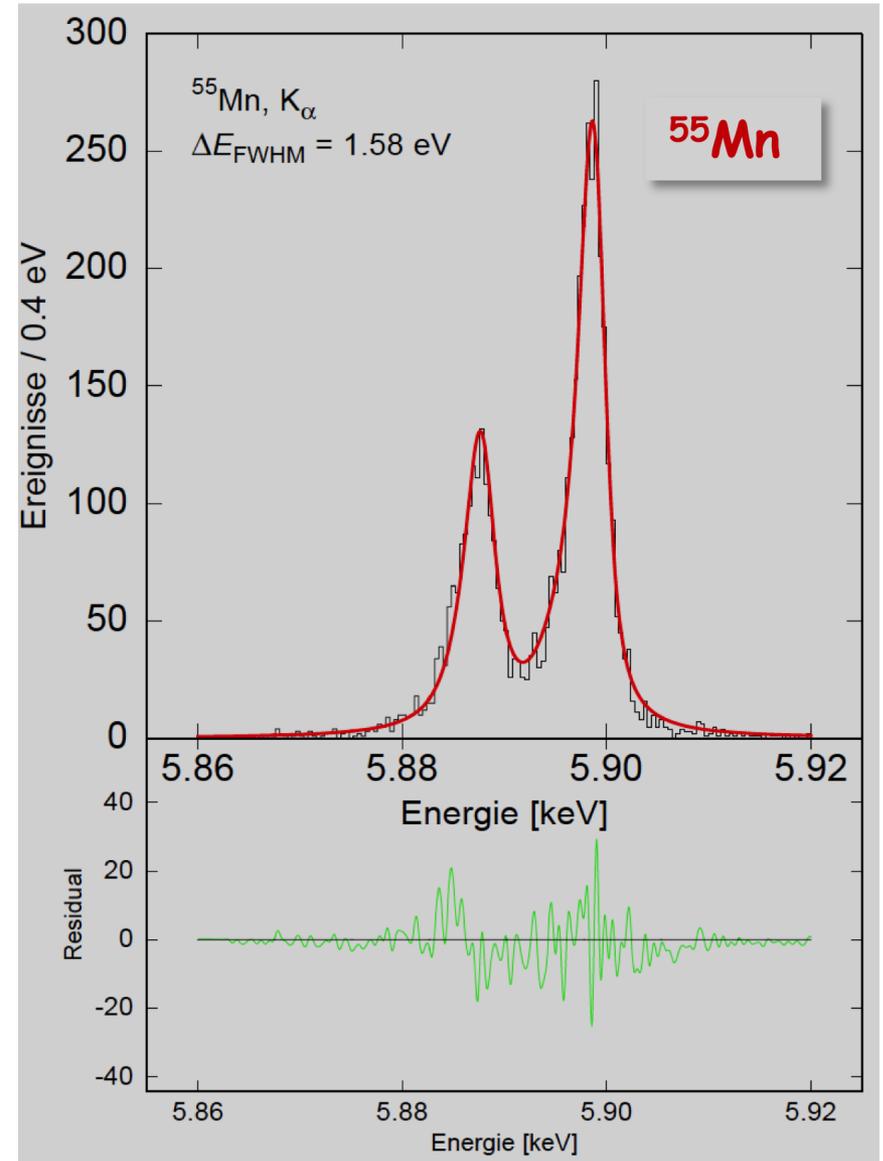
Best MMC results:

Heidelberg, Germany – sandwich geometry

NASA/GSFC – meander geometry

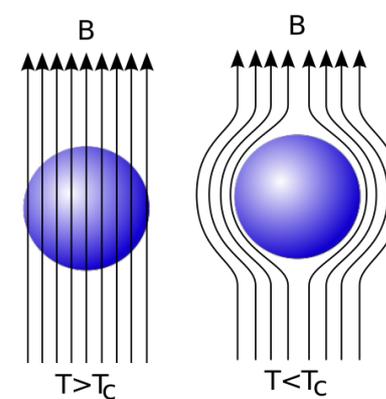
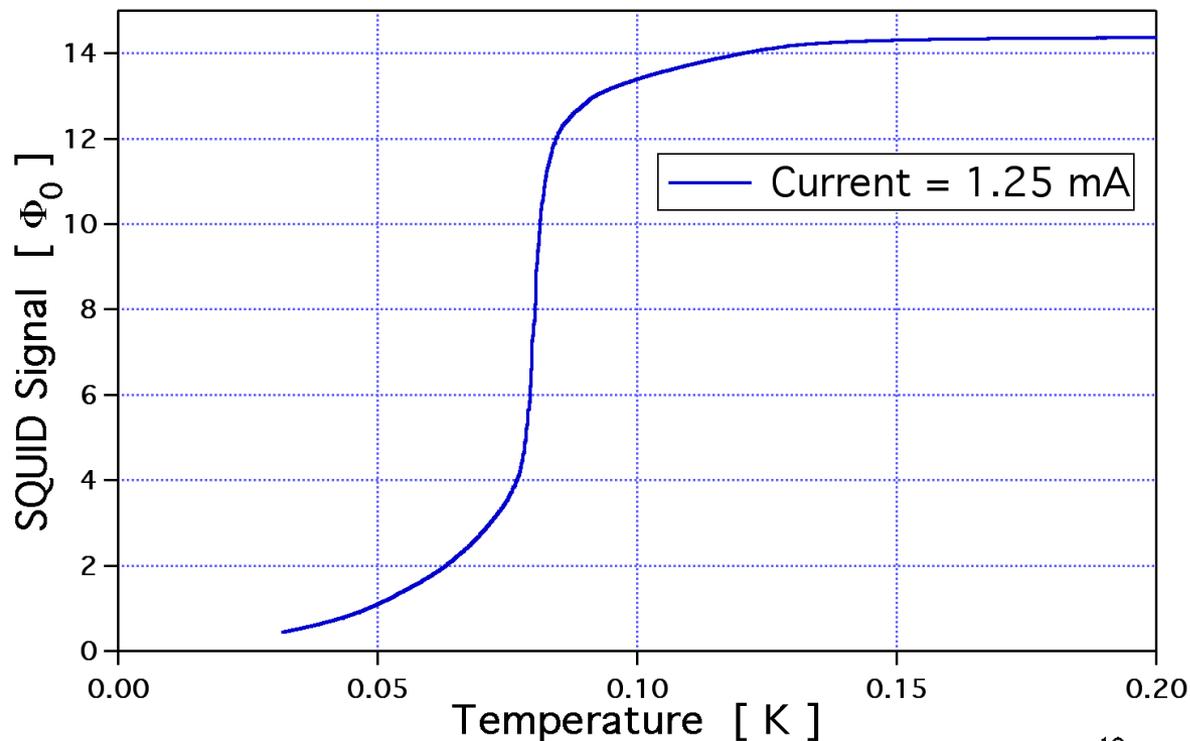


- $T \approx 32$ mK
- $I_f = 35$ mA
- Absorbers $250 \times 250 \times 3 \mu\text{m}$ – all gold
- Very linear detector

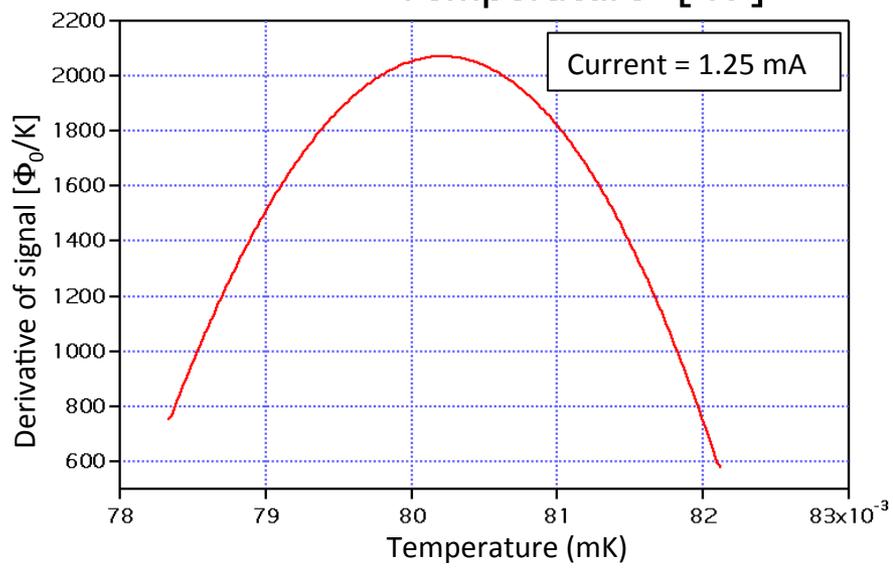
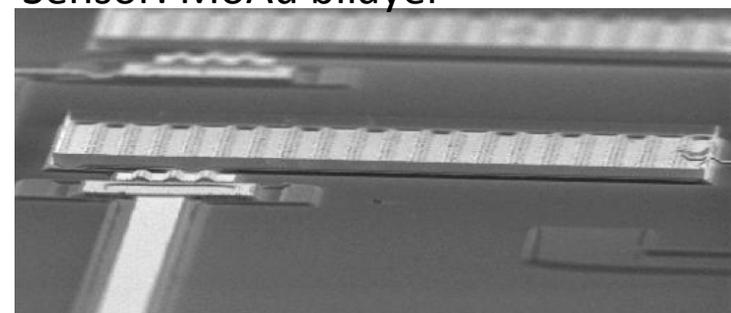


- $T \approx 20$ mK
- Absorbers $250 \times 250 \times 5 \mu\text{m}$ – all gold

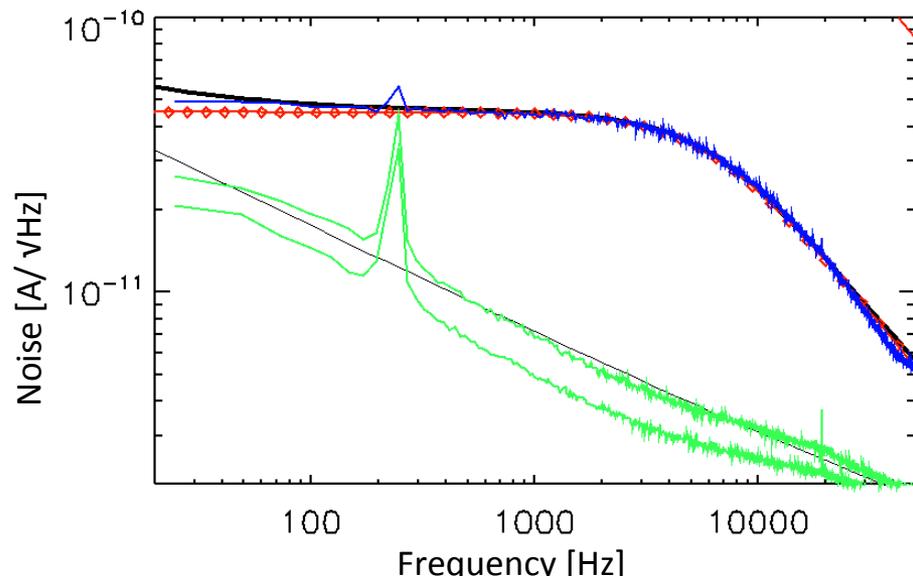
Magnetic Penetration Thermometer (MPT)



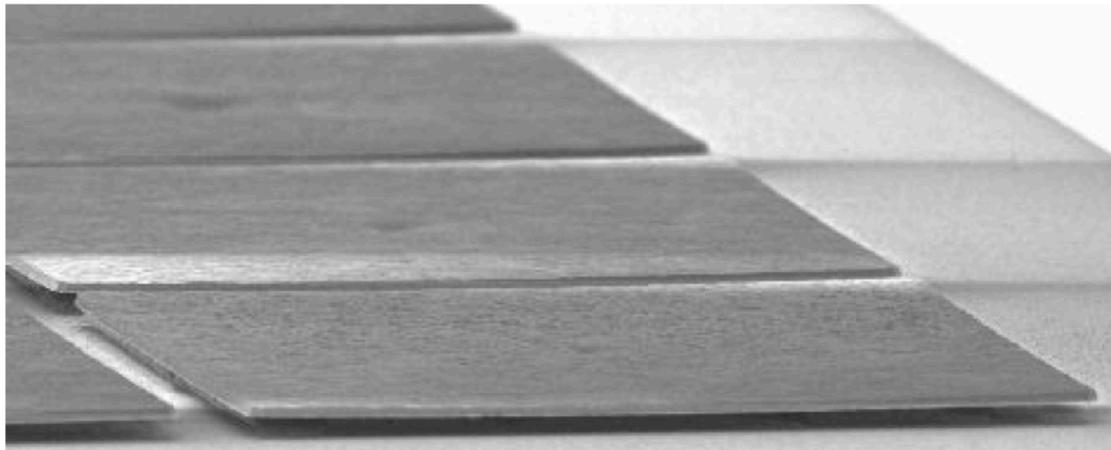
Sensor: MoAu bilayer



Noise in transition:

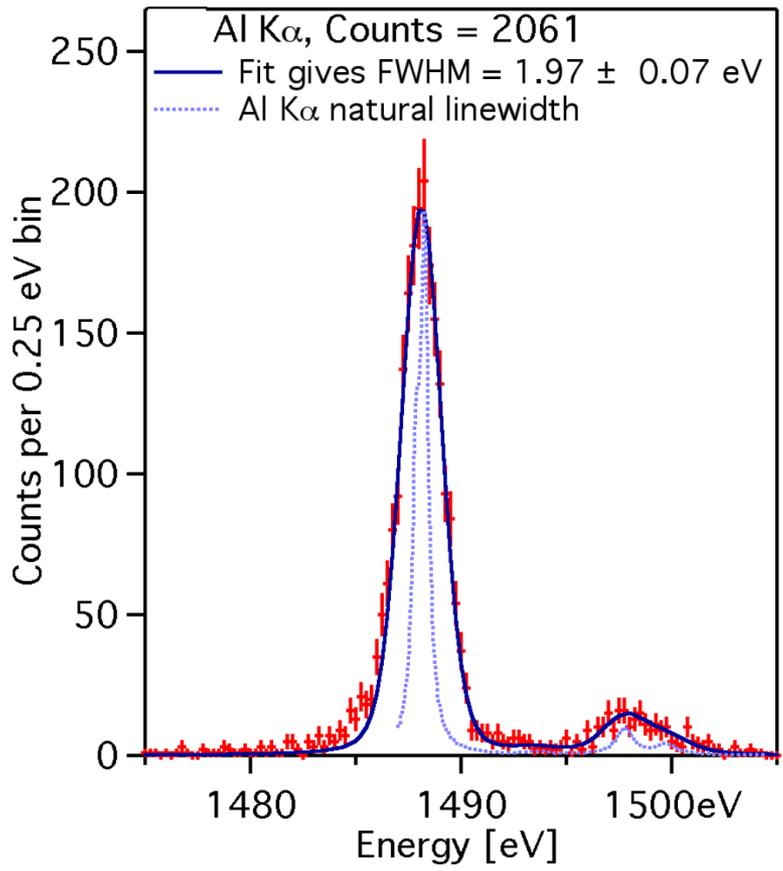
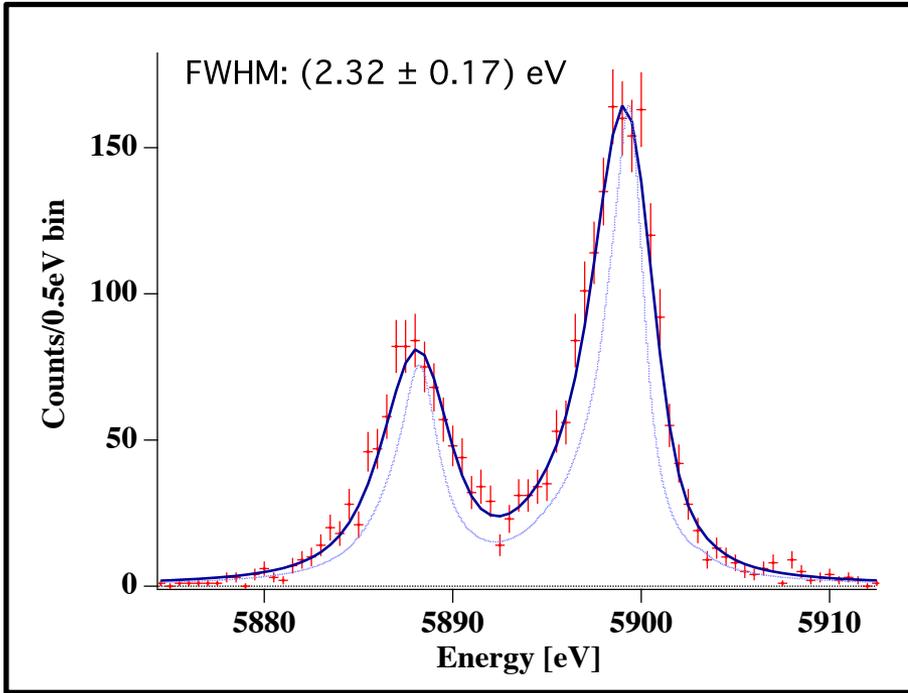


MPT:

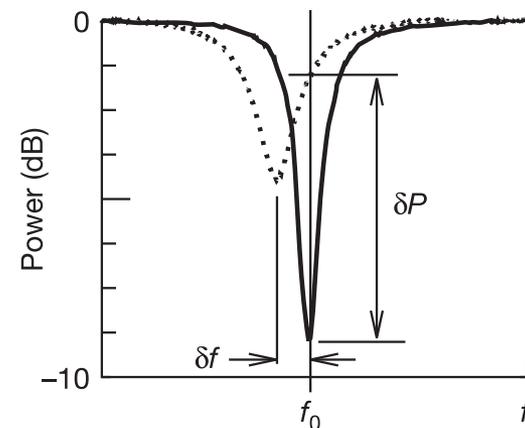
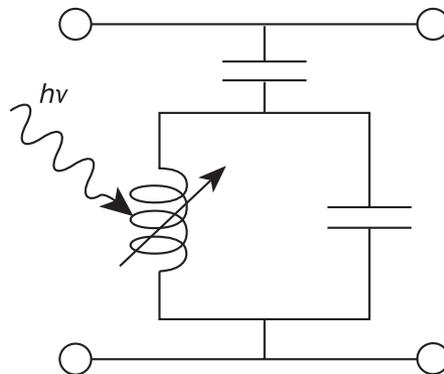
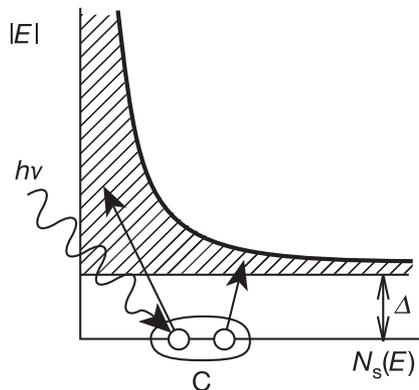


$$C_{\text{abs}} = 0.34 \text{ pJ/K @ } 38 \text{ mK}$$

$$\Delta E_{\text{FWHM}} = 2.3 \text{ eV @ } 5.9 \text{ keV}$$
$$= 2.0 \text{ eV @ } 1.5 \text{ keV}$$



Microwave kinetic inductance devices MKIDs

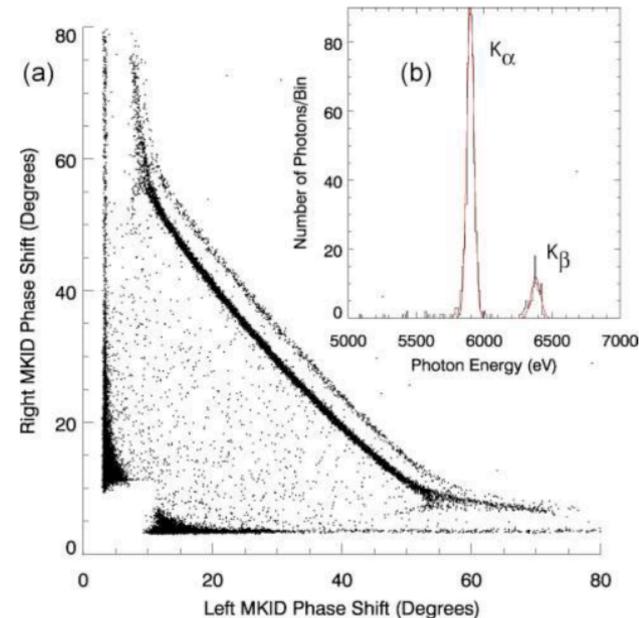


The good:

- Potentially the easiest technology to multiplex with microwave read-out

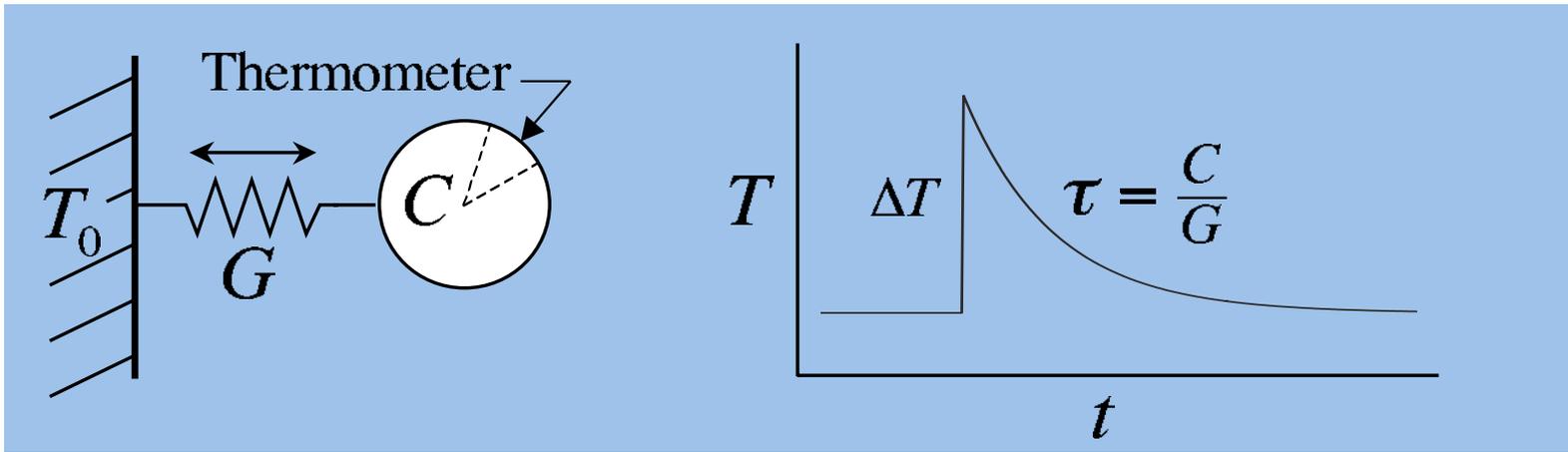
However:

- High energy resolution is very difficult, especially at 6 keV
- Superconducting absorbers are difficult
- Now investigating normal metal absorbers (TKIDs)



Best results achieved using position-sensitive MKIDs ~ 60 eV at 6 keV, (no absorber).

Intrinsic resolution for equilibrium detectors ?

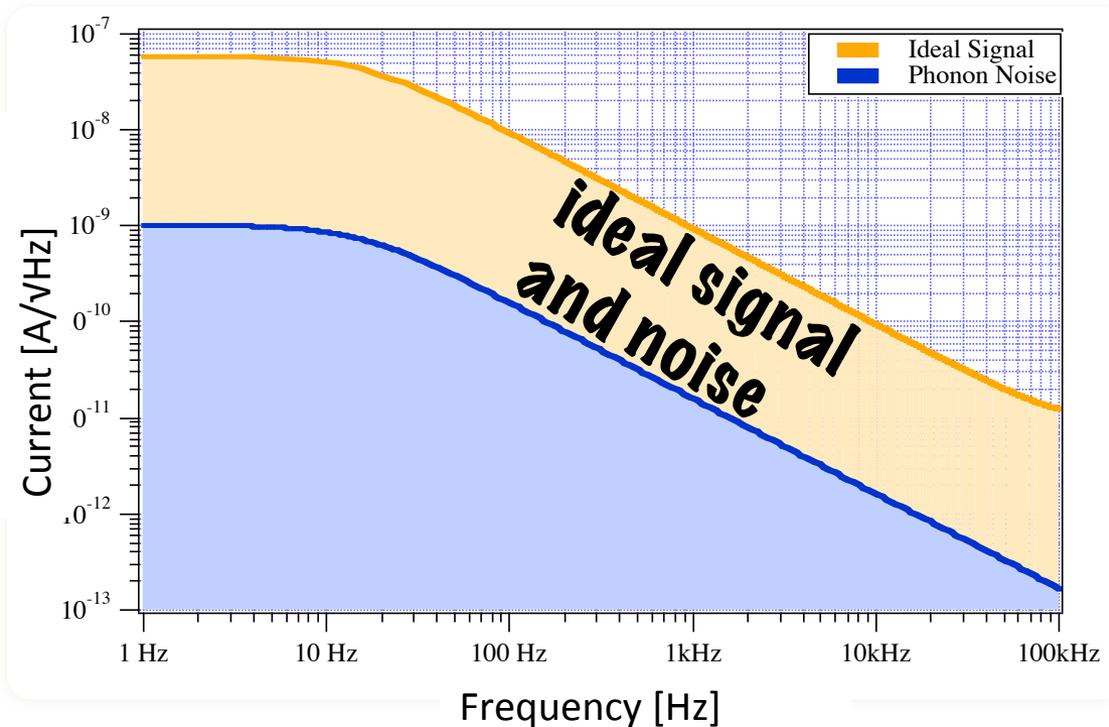


Random transport of energy => fluctuations in energy content of C.
Easy to calculate:

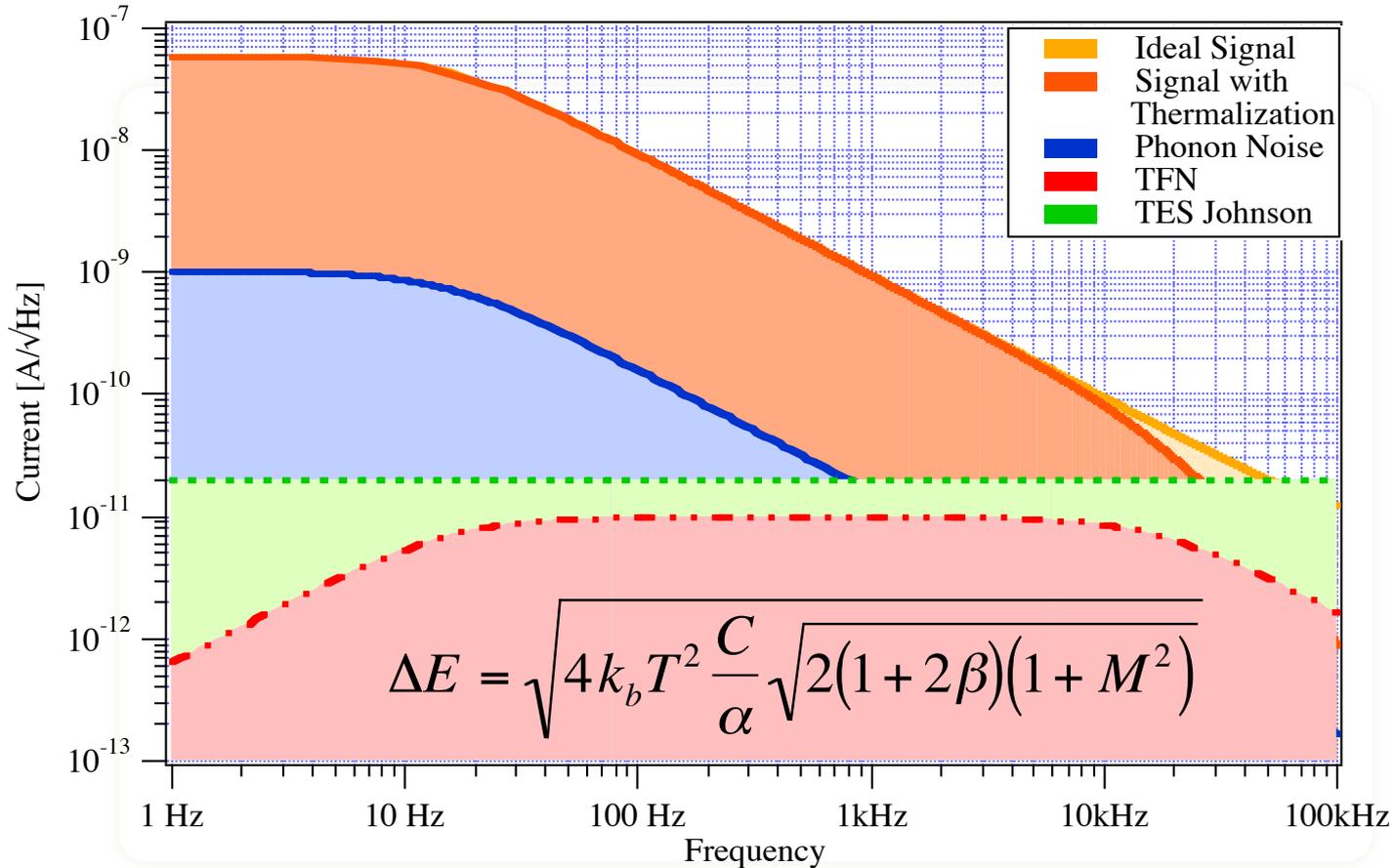
$$\Delta E_{rms} \sim \sqrt{kT^2C}$$

But energy fluctuation is not energy resolution

In absence of bandwidth limit => arb. good energy resolution achievable.



Resolution depends on bandwidth

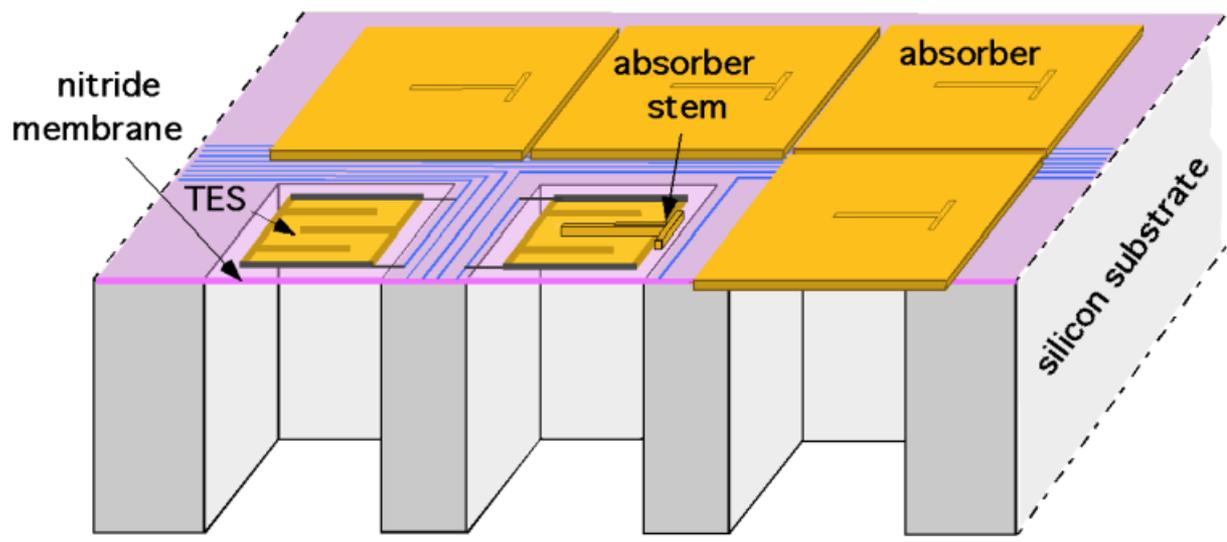


ΔE prop. \sqrt{C} prop. L

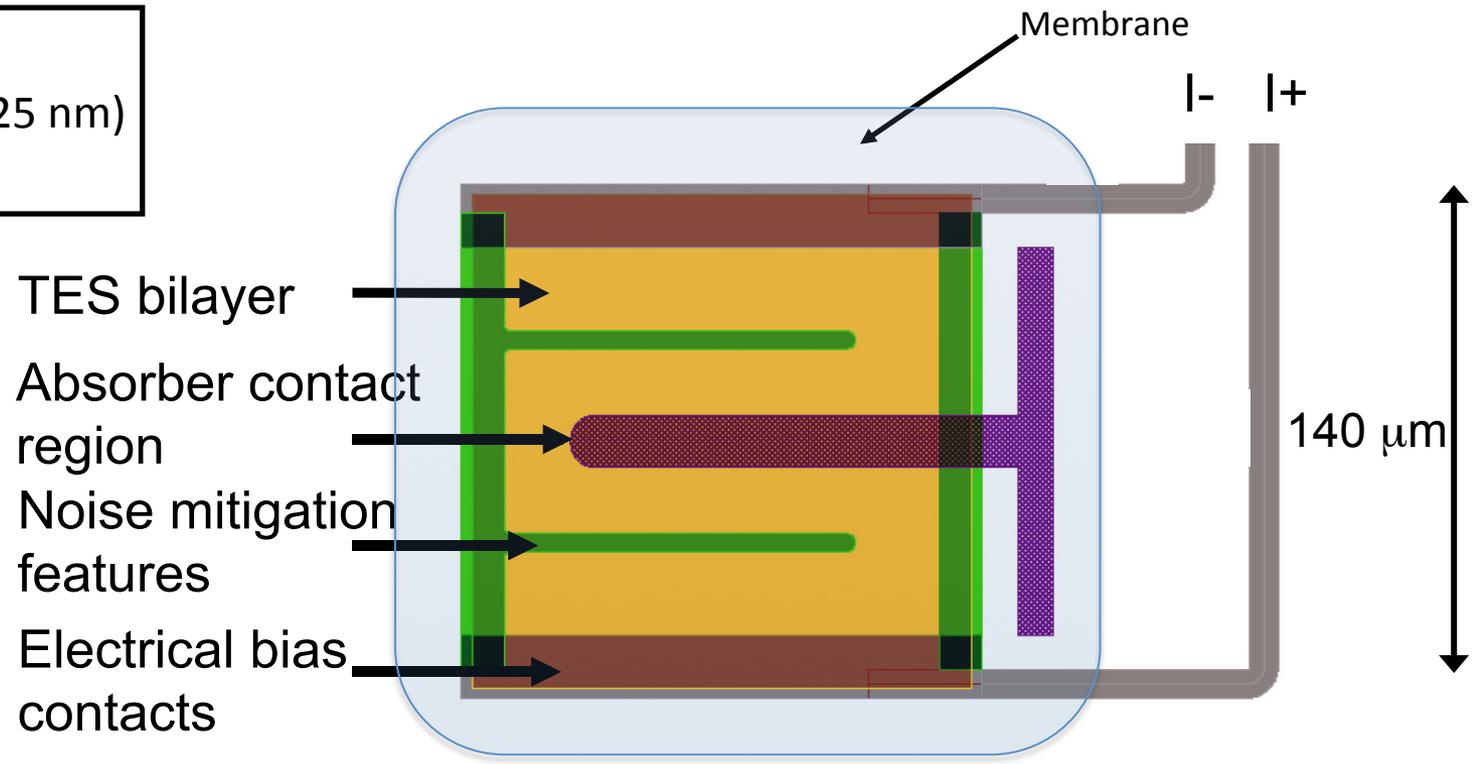
Optimal filtering:

$$\Delta E_{rms} = \left(\int_0^{\infty} \frac{4|S(f)|^2}{\langle |N(f)|^2 \rangle} df \right)^{-1/2} = \left(\int_0^{\infty} \frac{4}{NEP(f)^2} df \right)^{-1/2}$$

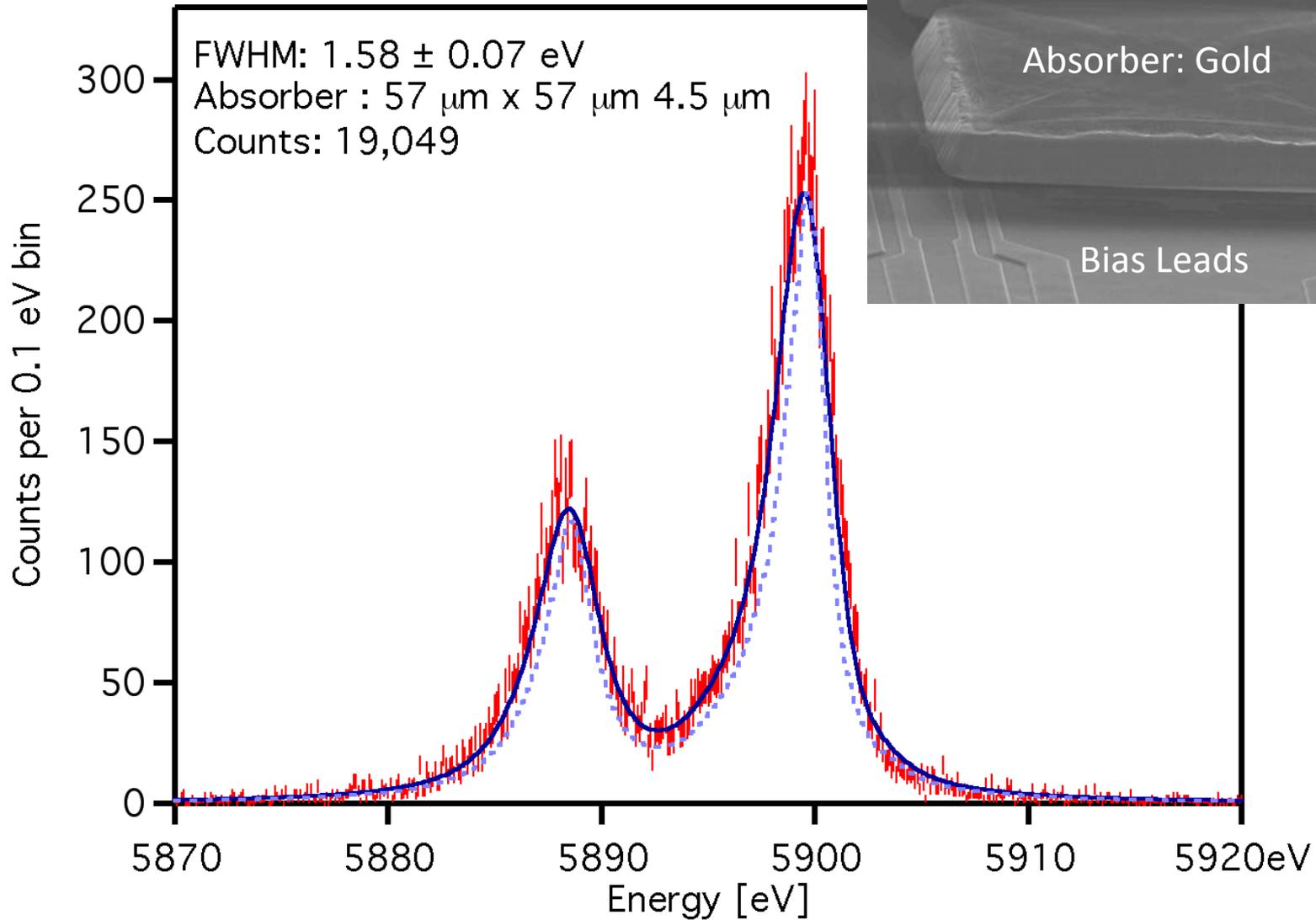
Microcalorimeter array for astrophysics



Mo/Au bilayer TES
Mo (45 nm) / Au (225 nm)
 $T_c \sim 0.1$ K



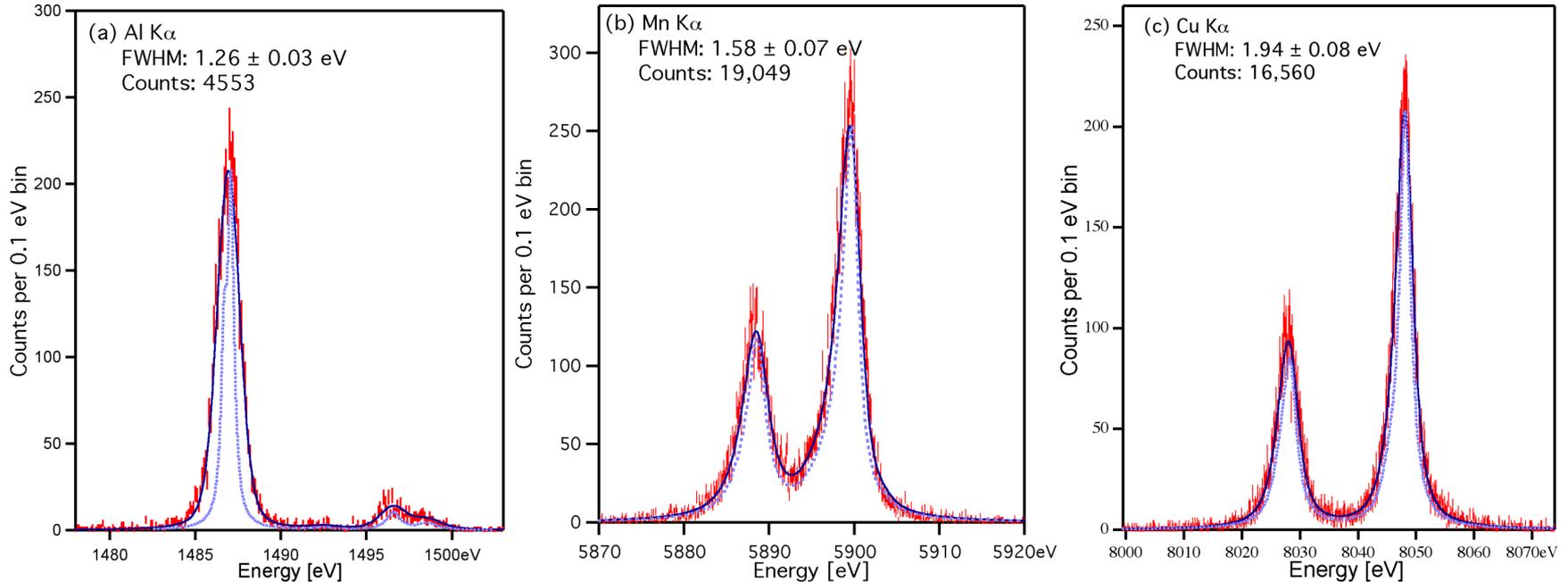
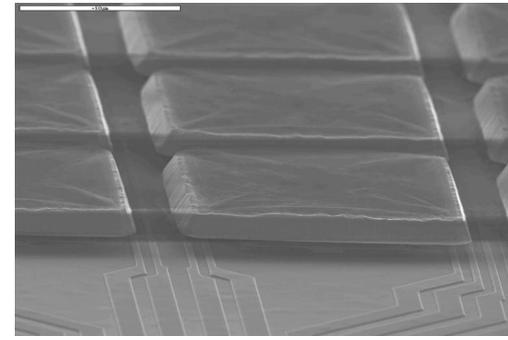
Higher T_c Small Pixels:



- Best energy resolution detecting 6 keV x-rays (energy dispersive detector)
- High count rate capability
- More demanding read-out requirements

High dynamic range

Gold absorber: $57\ \mu\text{m} \times 57\ \mu\text{m} \times 4.5\ \mu\text{m}$, $T_c \approx 90\ \text{mK}$ under bias

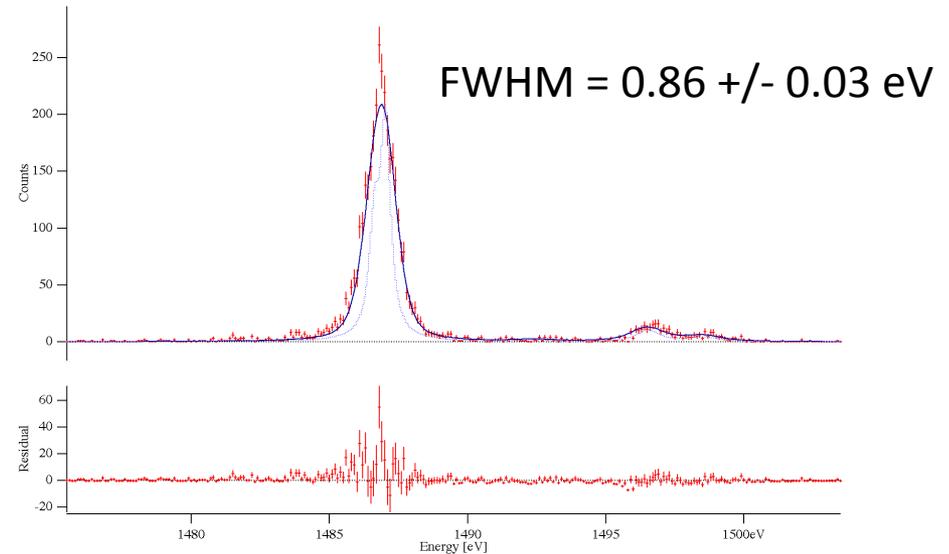
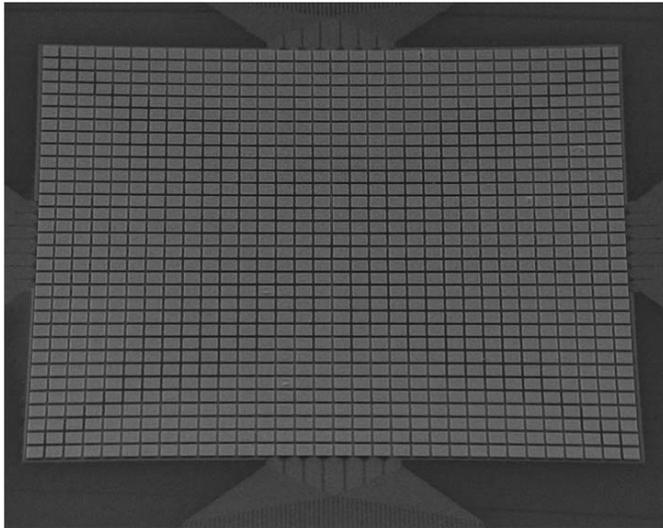


S.J. Smith et al., JLTP 167, 3-4, 168, (2012). (LTD-14)

- Performance of this device is relatively linear.
- All measurements used straight-forward optimal filtering.
- Pulse decay times $\sim 200\ \mu\text{s}$
- *Higher count rate capability*

Intermediate dynamic range

Gold absorber: $65\ \mu\text{m} \times 65\ \mu\text{m} \times 5\ \mu\text{m}$, $T_c \approx 80\ \text{mK}$ under bias



Pulse decay times $\sim 350\ \mu\text{s}$

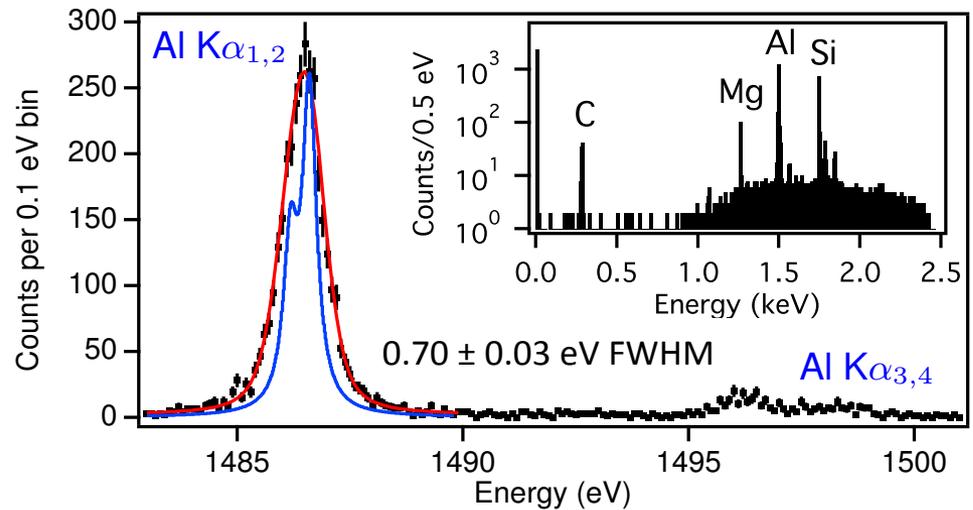
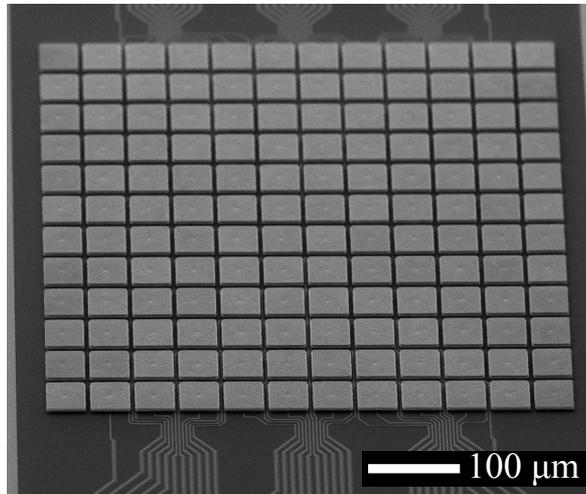
Energy resolution = $0.9\ \text{eV}$ [FWHM] at $1.5\ \text{keV}$

= $3.2\ \text{eV}$ [FWHM] at $5.9\ \text{keV}$ using traditional optimal filtering

= $1.6\ \text{eV}$ [FWHM] at $5.9\ \text{keV}$ using PCA

Low Dynamic Range

Gold absorber: $45\ \mu\text{m} \times 45\ \mu\text{m} \times 4.2\ \mu\text{m}$, $T_c \approx 60\ \text{mK}$ under bias



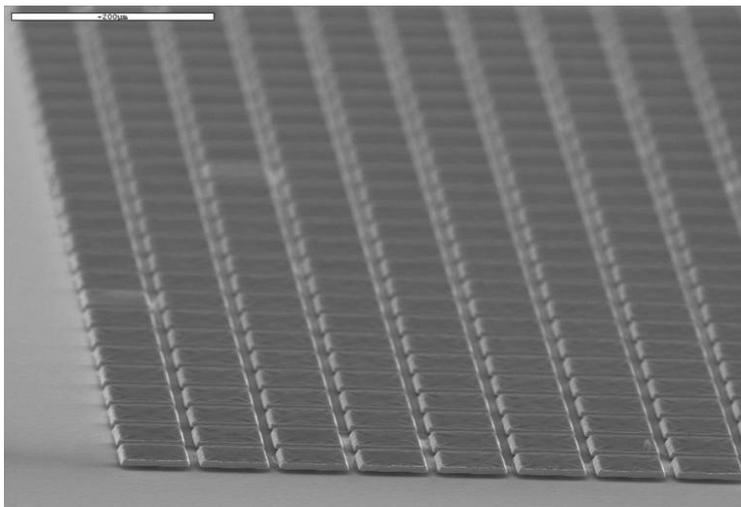
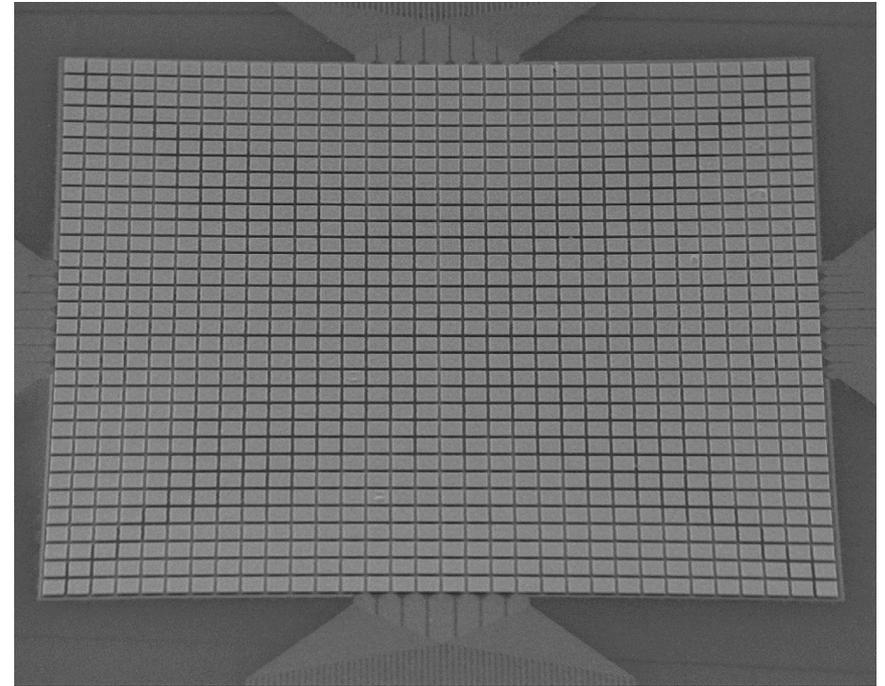
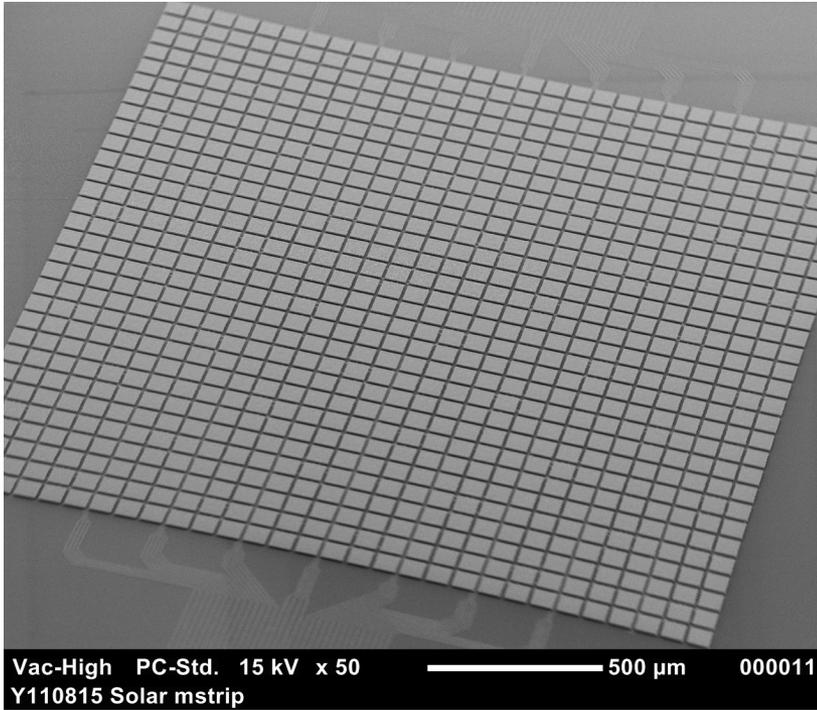
Energy resolution = $0.70\ \text{eV}$ [FWHM] at $1.5\ \text{keV}$

Best achievable theoretically energy resolution at low energies: $0.5\ \text{eV}$

Decay time $\sim 1.2\ \text{ms}$

S.-J. Lee et al., Appl. Phys. Lett. **107**, 223503 (2015)

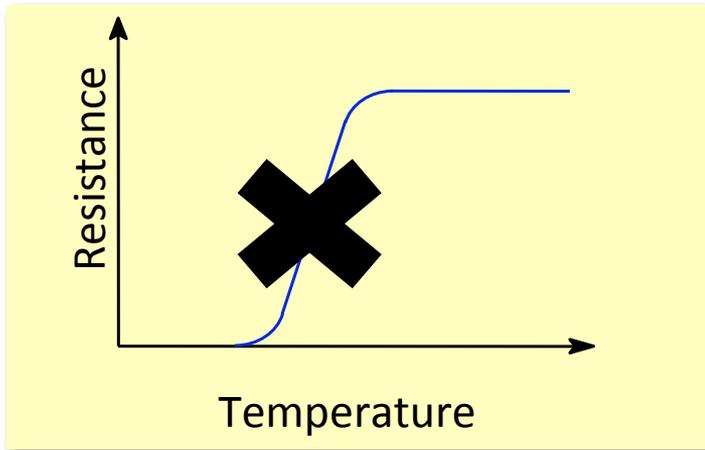
Large-format small-pixel arrays: 32x32 arrays fully wired



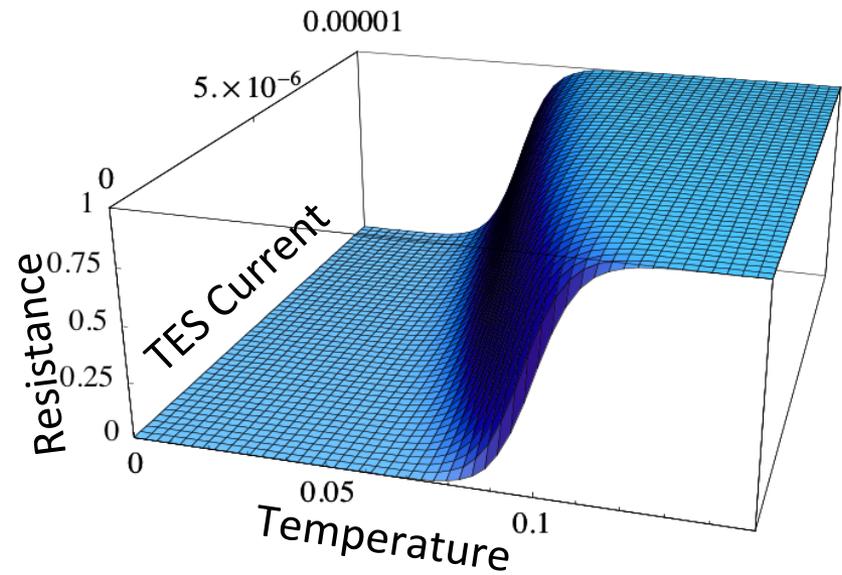
Fully wired

Pixels on a 75 μm pitch

Microstrip pitch = 4 μm

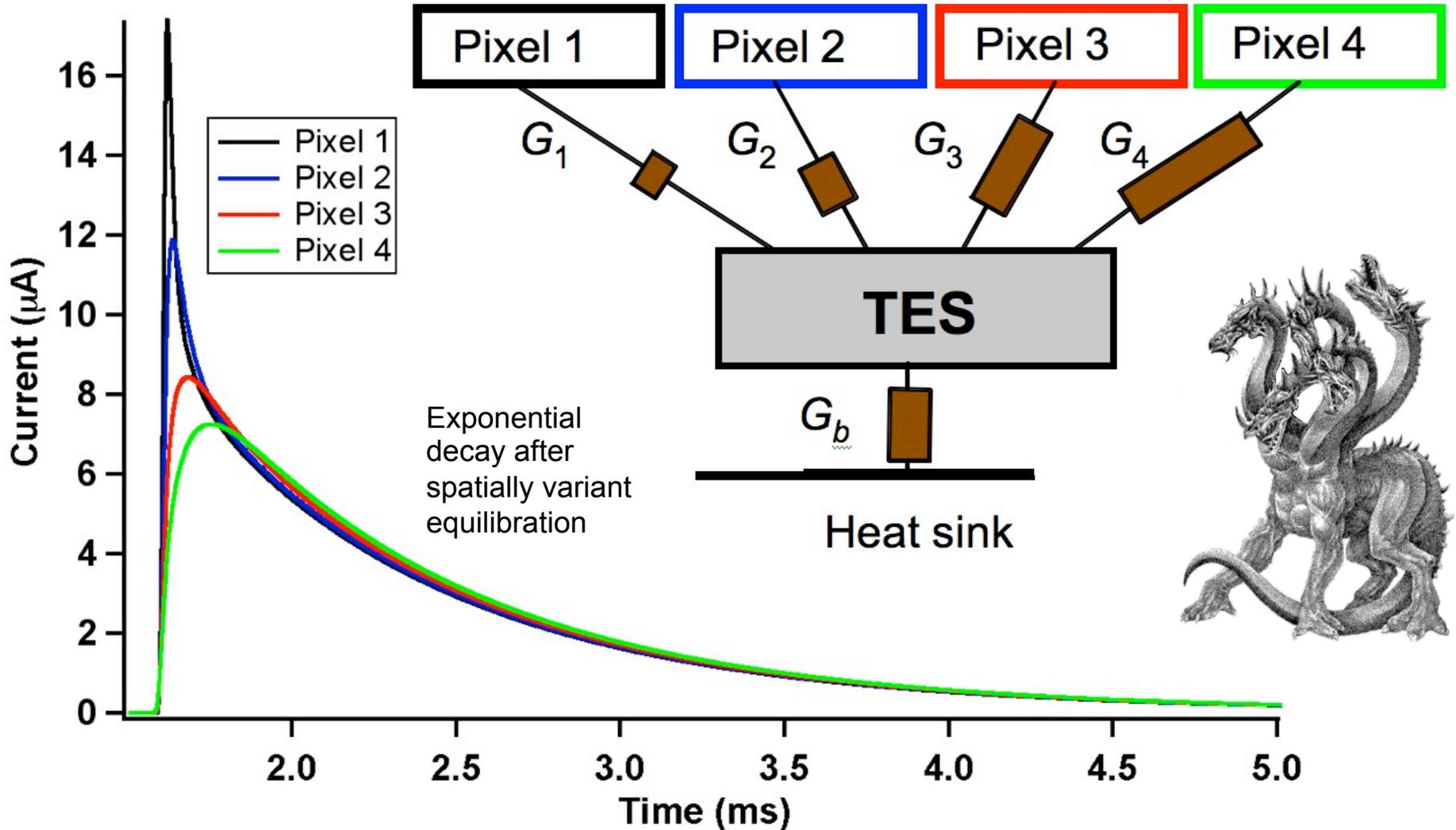


Highly current dependent transition:



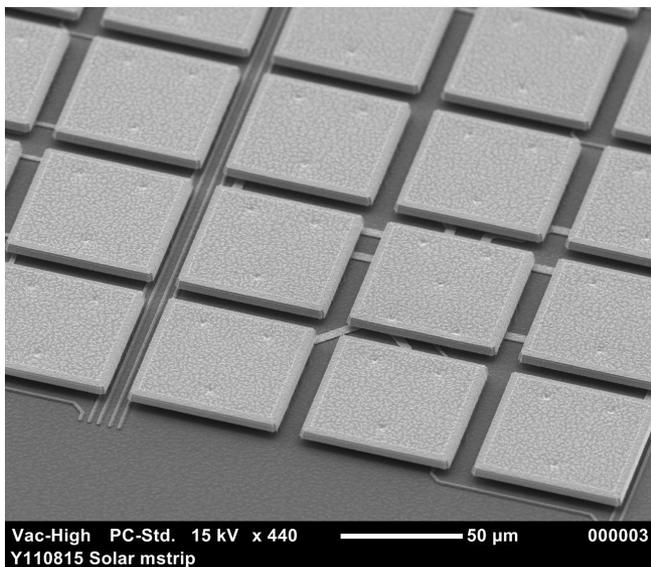
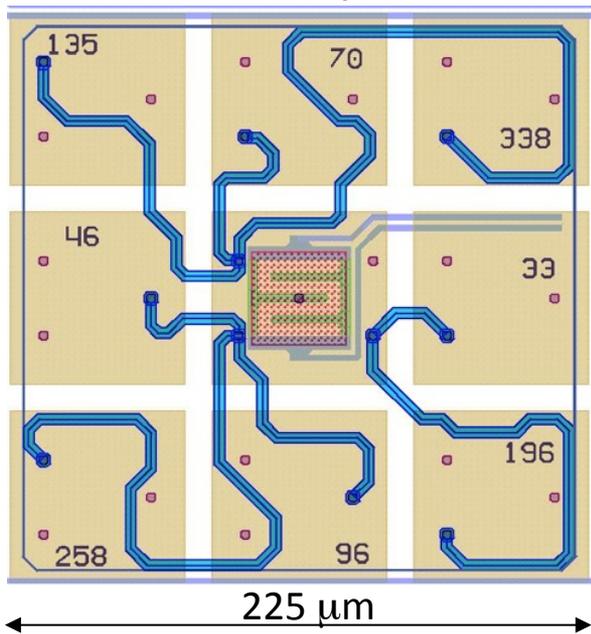
Multi Absorber TES “Hydras” - 1 TES, 4 absorbers

– increase field of view for a fixed number of read-out channels

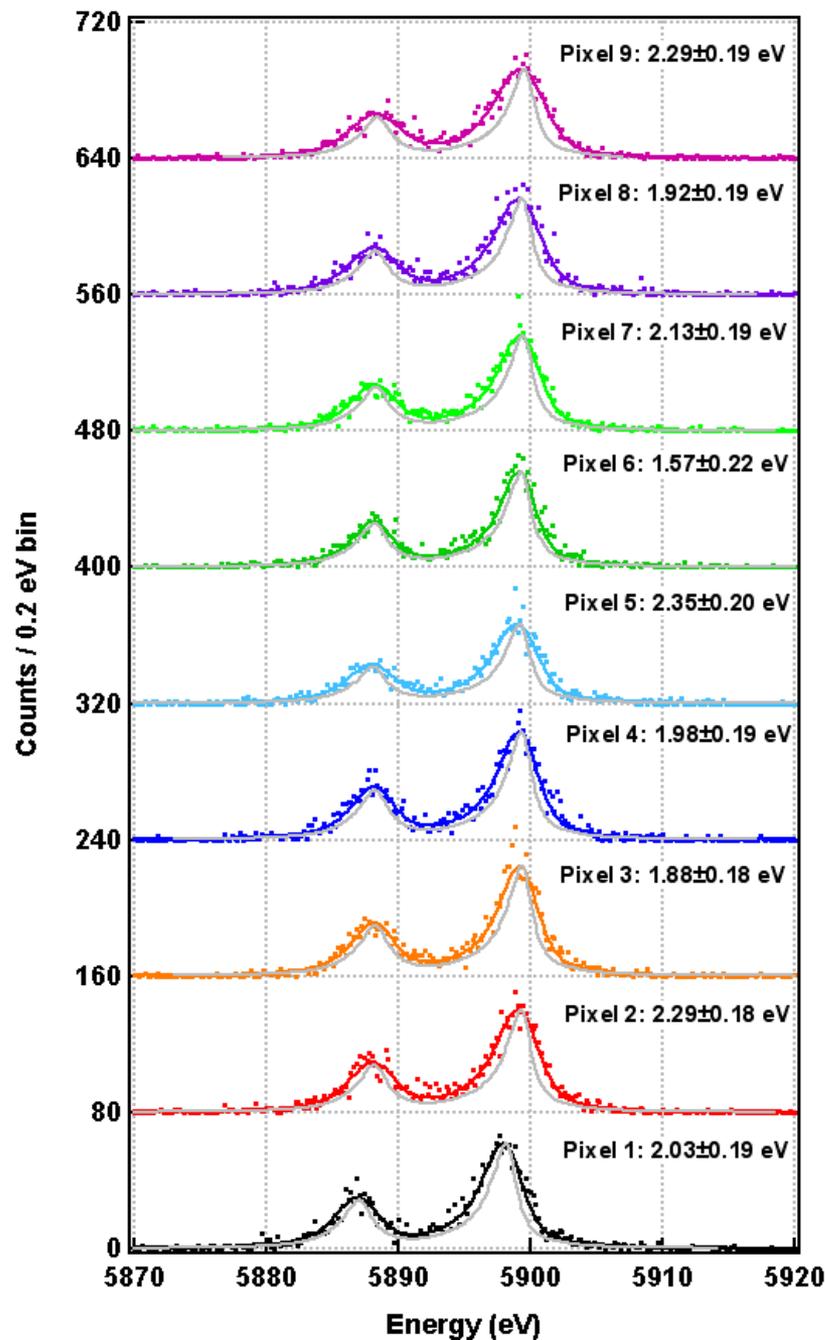


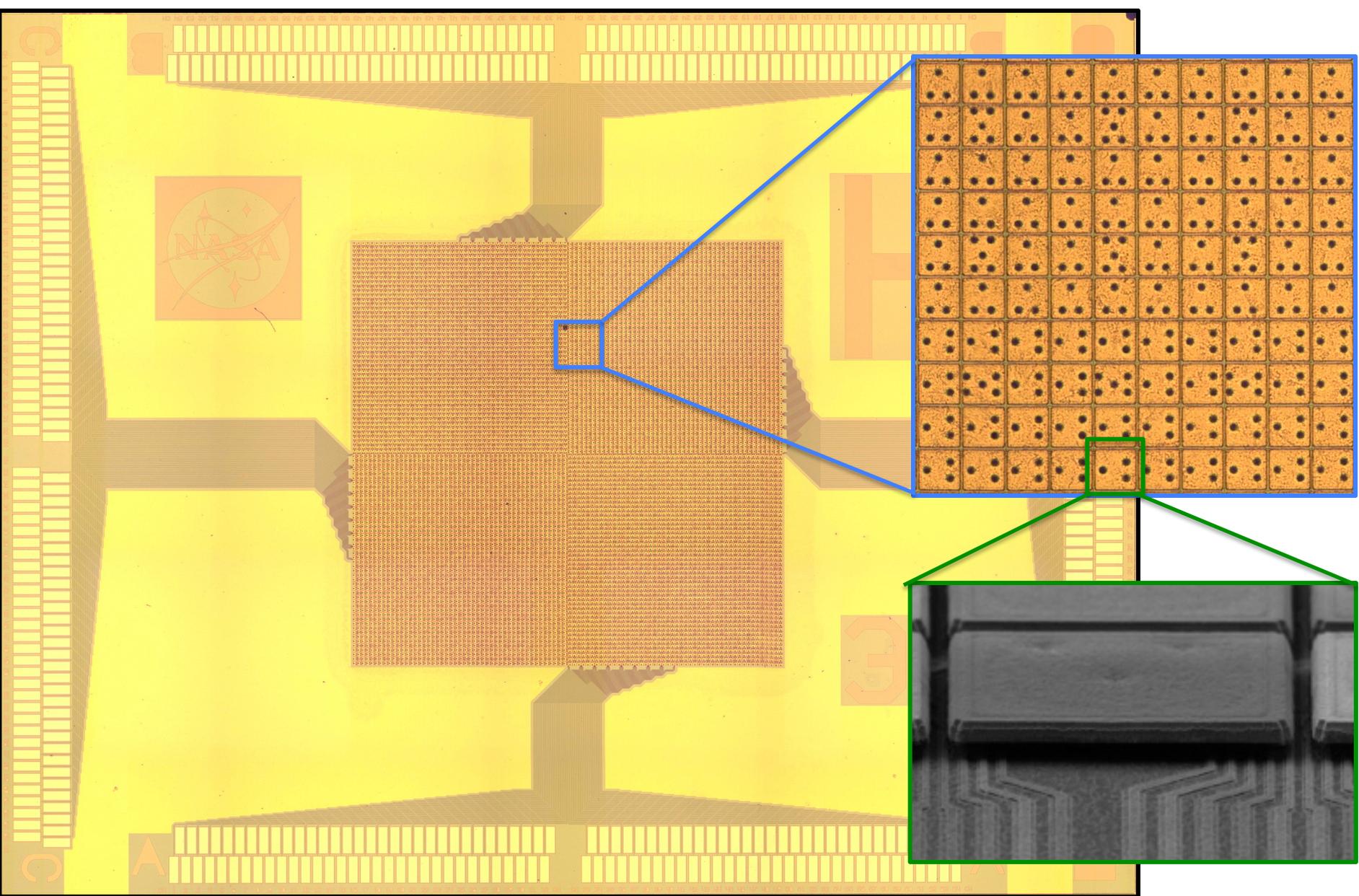
Also works with MCCs

Hydras with 3x3 array of 65 μm absorbers, 5.0 μm thick



$\Delta E_{\text{rms}} = 2.4 \text{ eV (FWHM)}$ at 6 keV, Mn-K α



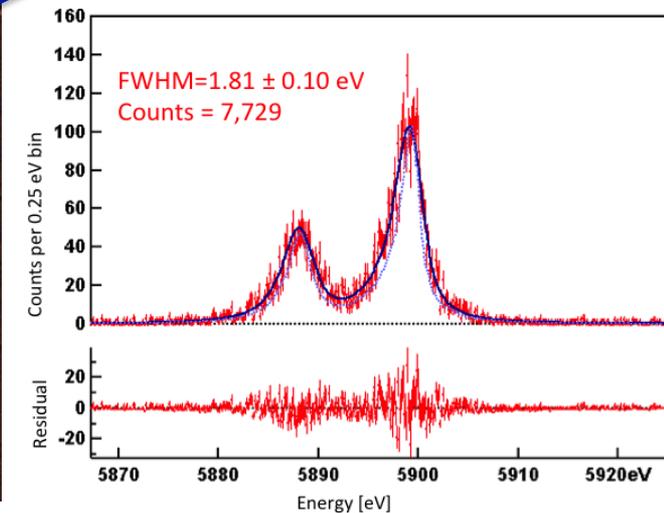
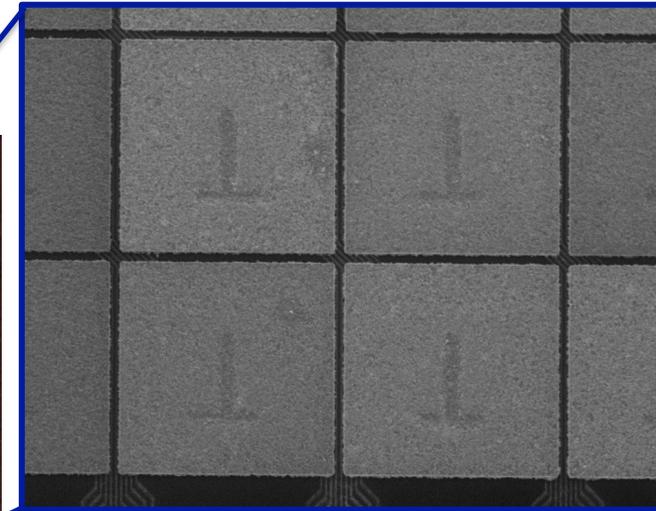
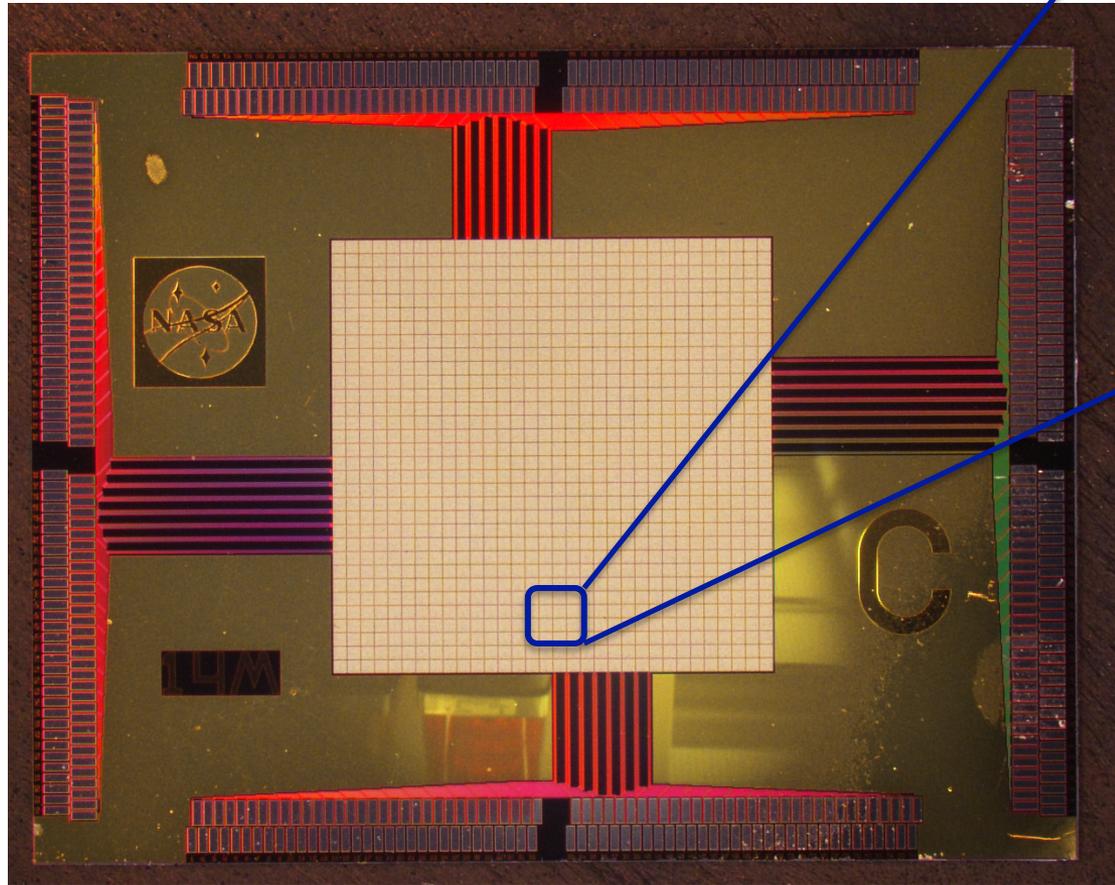


96x96 array (9216 pixels) - fully wired within array – absorbers on 75 μm pitch
- 32x32 array of 3x3 Hydras

Demonstration model (DM) kilo-pixel arrays

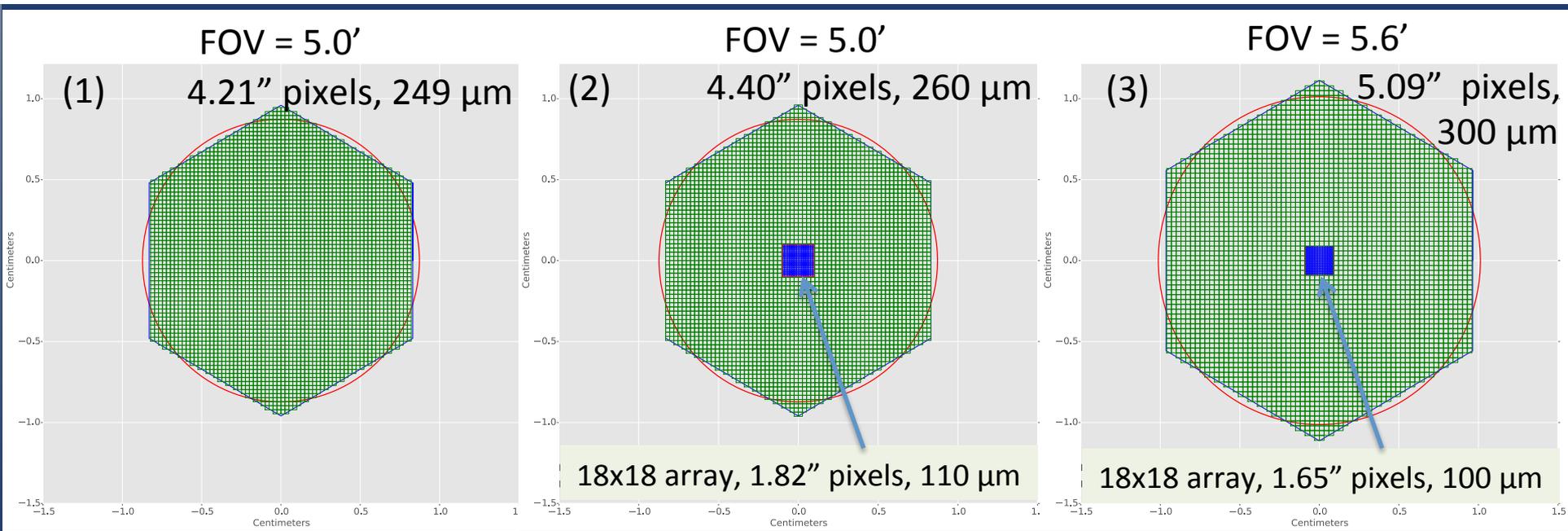
- being fabricated and tested

- 32 x 32 array – close-packed microstrip wiring
- Absorbers: Au: 1.75 μm , Bi: 4 μm , on 250 μm pitch



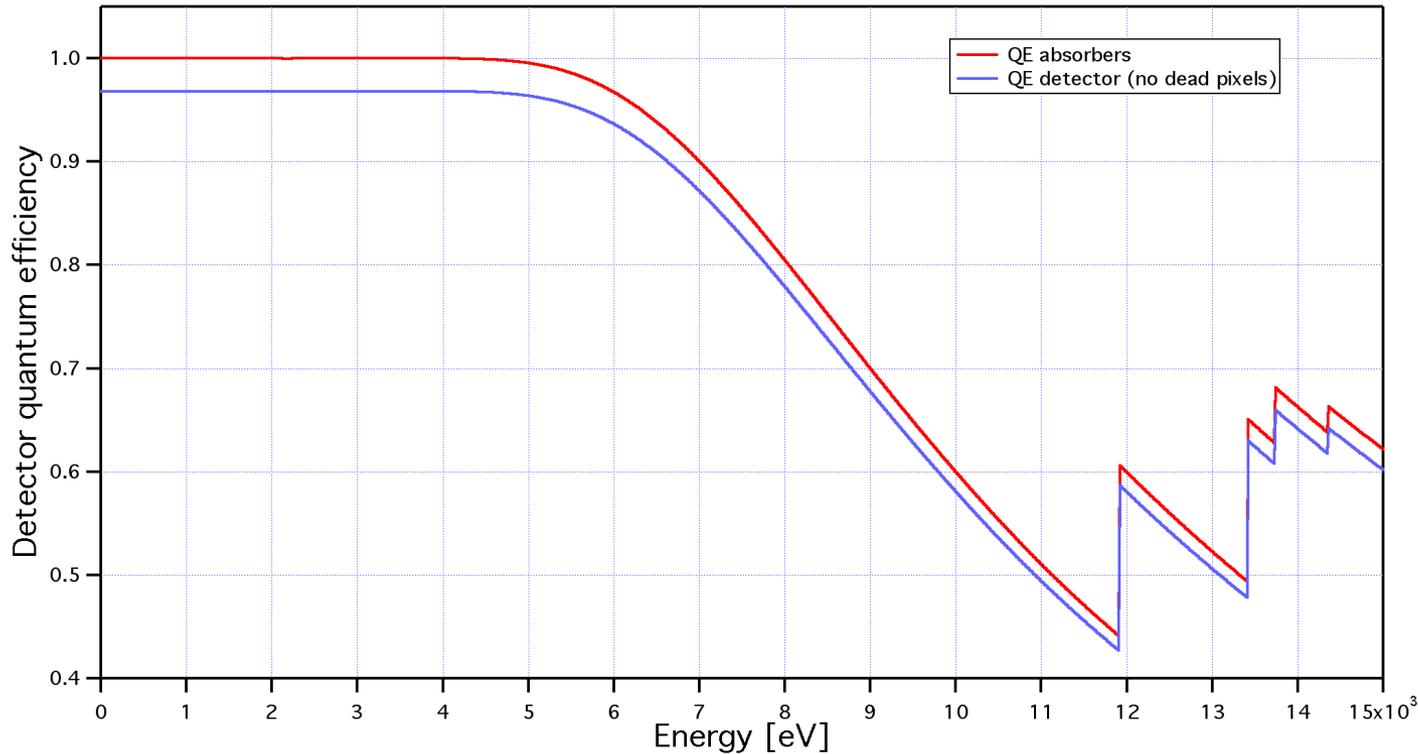
Athena X-IFU array configurations under study

- Athena: three different detector configurations currently under study:



Quantum efficiency versus energy

Example: Athena – X-IFU

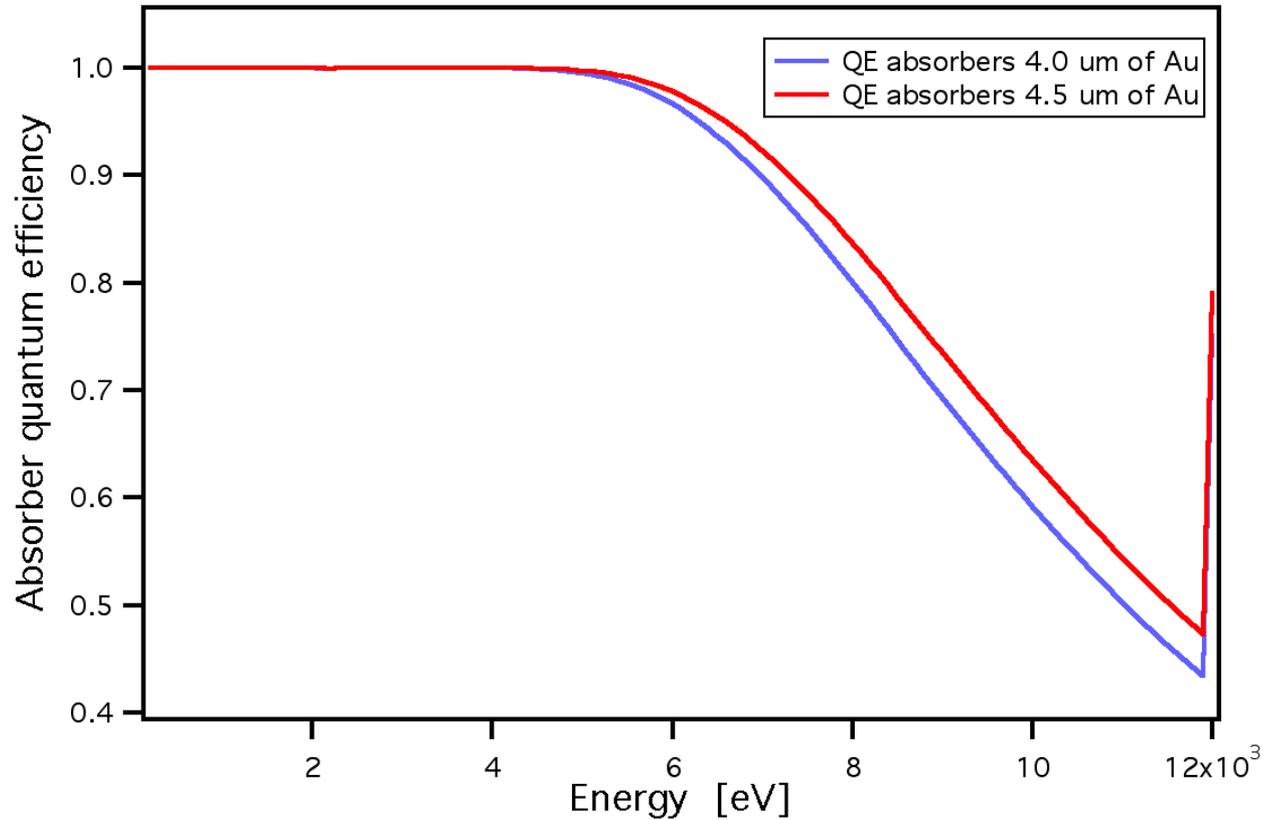


Absorber: 1.7 μm Au, 4.2 μm Bi
90% QE at 7 keV

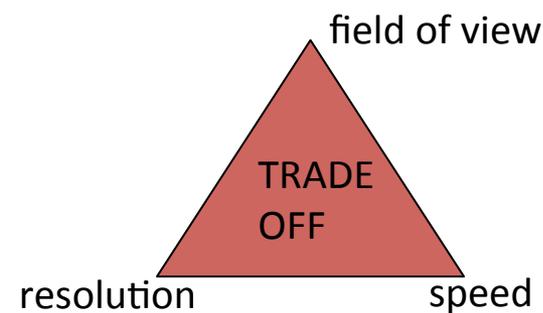
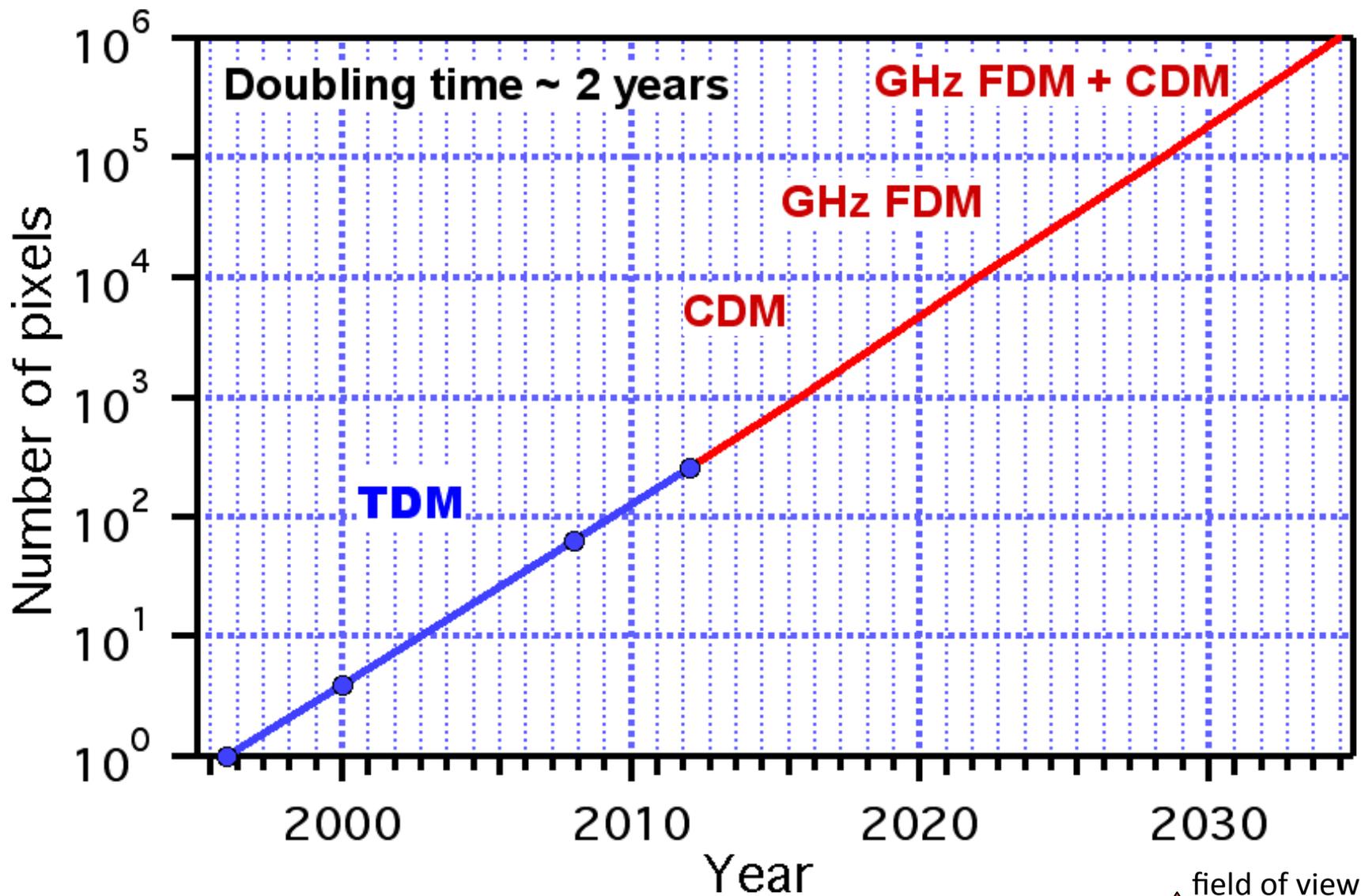
Area filling factor assumed here is 96.8% (4 μm gaps)

=> Detector QE = 0.968 * Absorber QE

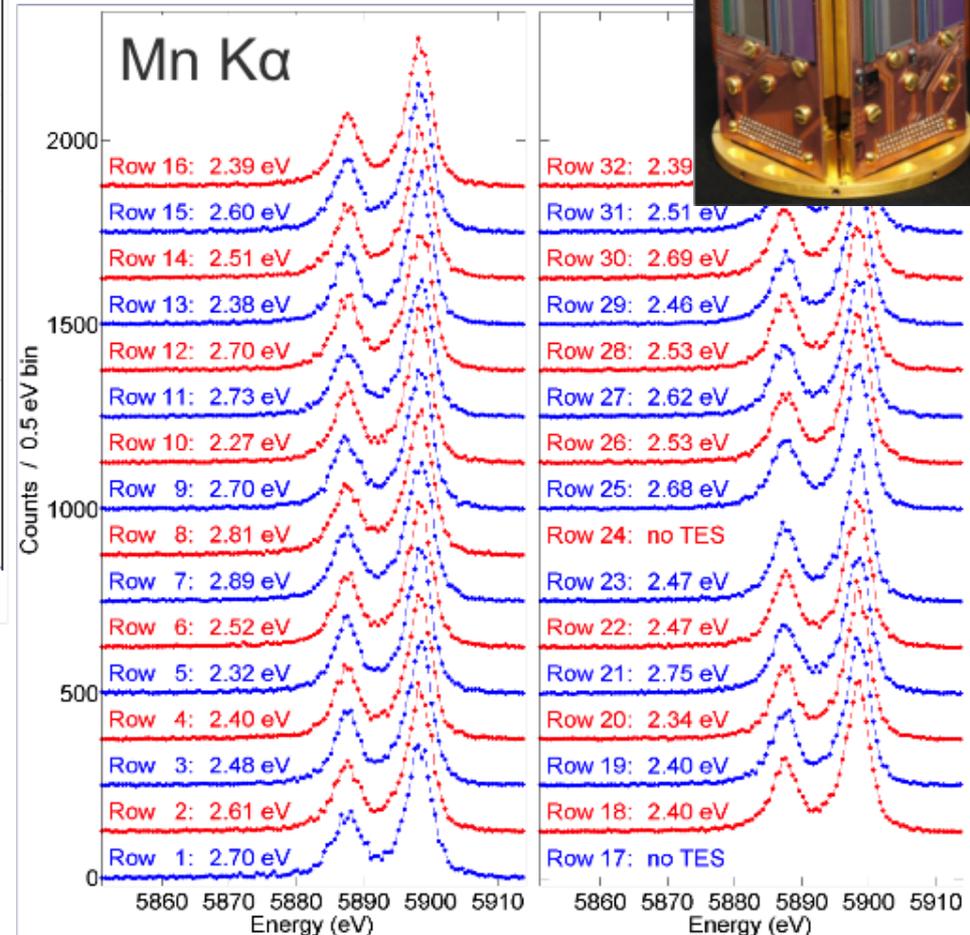
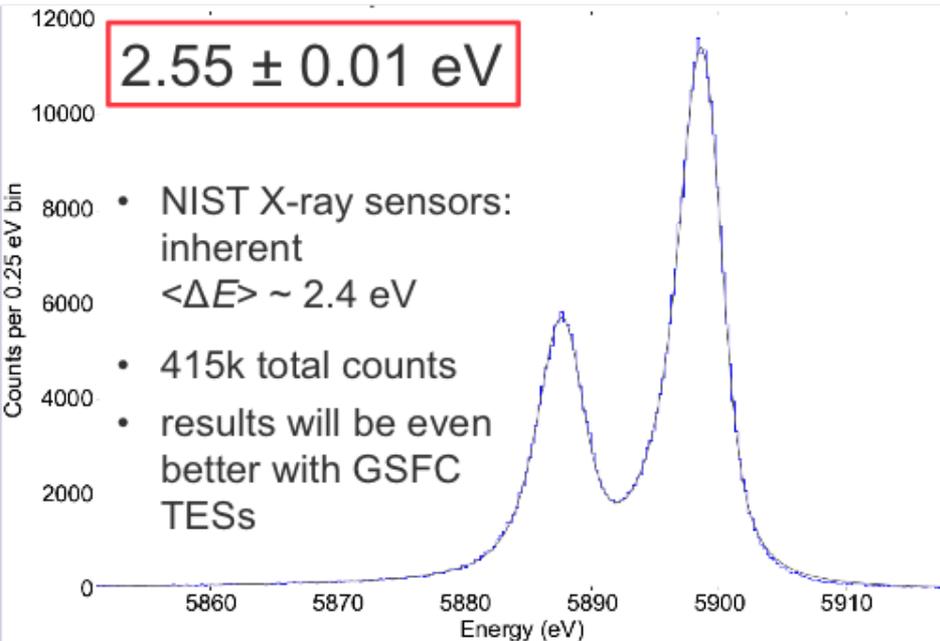
X-ray Surveyor QE verses energy



4 um gaps on 50 um pitch => area fill-factor = 85%

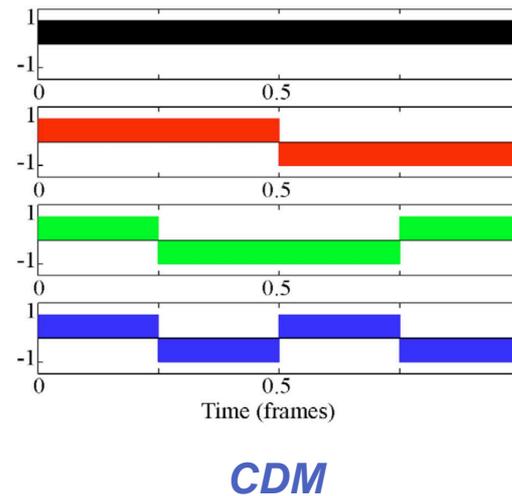
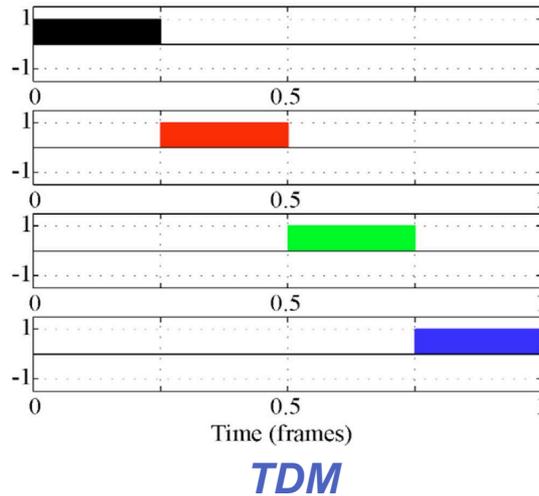


Time division multiplexing



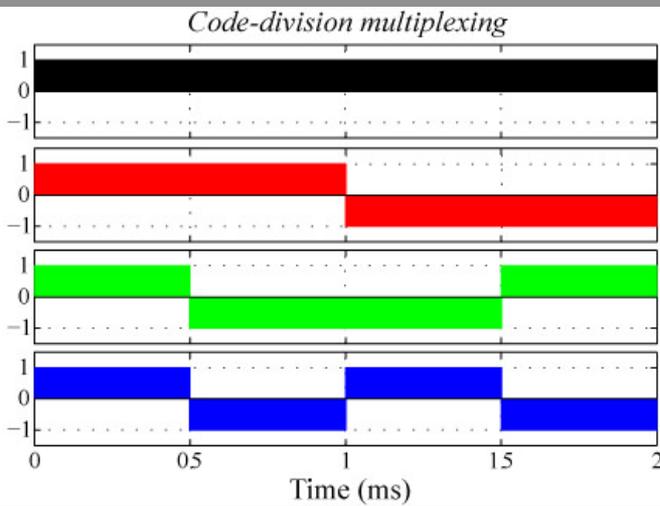
- Combined spectrum: 32-row TDM
- $T_{\text{row}} = 160$ ns (much faster!)
- Almost no energy resolution degradation from multiplexing

Multiplexed read out: switched SQUID multiplexing



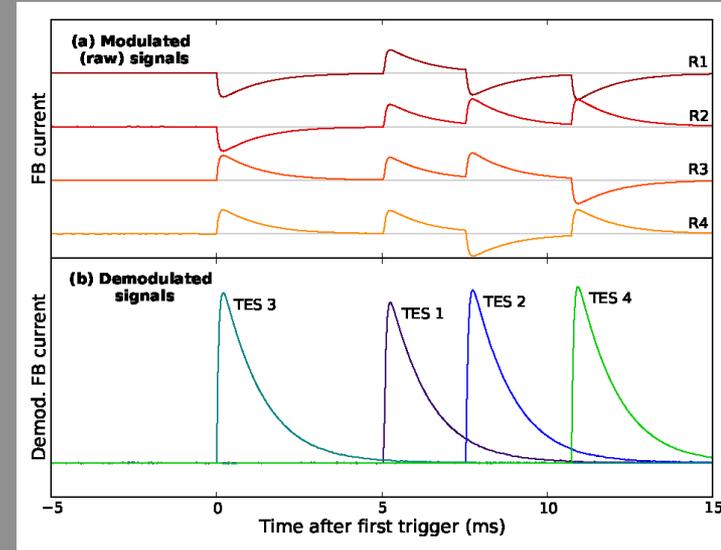
- Code Division Multiplexing (CDM) will soon reach TDM TRL level
 - All pixels ON all the time, polarity of coupling is switched
 - CDM has a \sqrt{N} SQUID noise advantage over TDM, where N is the multiplexing scale
 - Define Walsh code by modulating polarity of detector coupling

Walsh code-division multiplexing



$$W_{ij} = \begin{pmatrix} 1 & 1 & 1 & 1 \\ 1 & 1 & -1 & -1 \\ 1 & -1 & -1 & 1 \\ 1 & -1 & 1 & -1 \end{pmatrix}$$

$$W_{ij}^{-1} = \frac{1}{4} \begin{pmatrix} 1 & 1 & 1 & 1 \\ 1 & 1 & -1 & -1 \\ 1 & -1 & -1 & 1 \\ 1 & -1 & 1 & -1 \end{pmatrix}$$



$$\gamma_i = \sum_j W_{ij} d_j$$

$$d_i = \sum_j W_{ij}^{-1} \gamma_j$$

d_j is the vector of detector signals

W_{ij} is the orthogonal Walsh matrix

γ_j is the vector of multiplexed signals

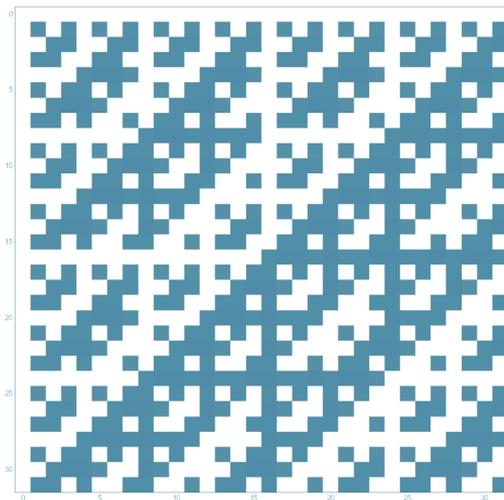
Multiplying by inverse Walsh recovers signals

- MUX factor must be a multiple of four
- One non-modulated channel will be more sensitive to interfering signals
- Additional mathematical subtleties worked out in KD Irwin et al., SUST 23, 034004 (2010).

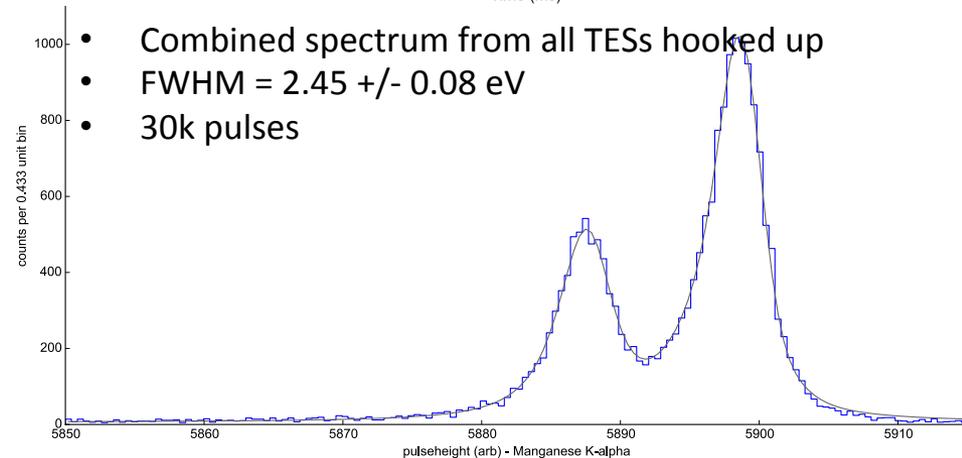
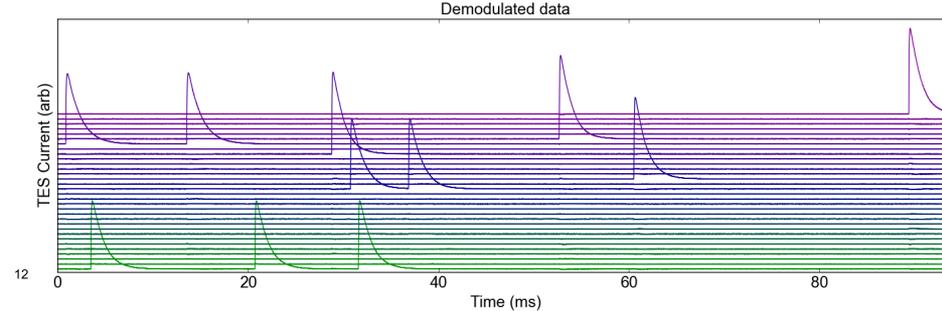
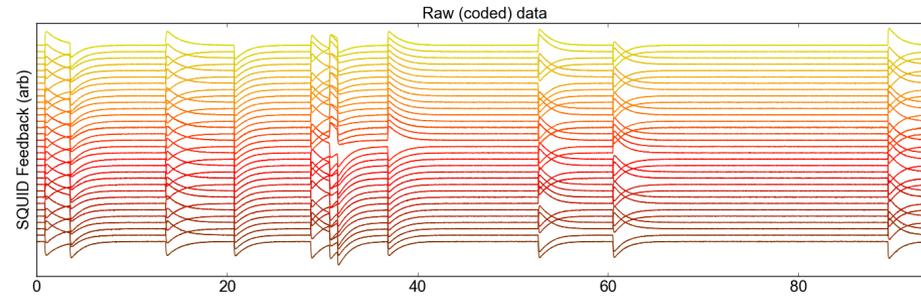
Code-Division Multiplexing

New CDM result:

- FWHM = 2.45 ± 0.08 eV (TESs on 16 of 32 rows)
- 30k pulses
- No energy resolution degradation from read-out
- Now also 2.77 eV in 30 sensors (excluding unmodulated channel).



Modulation matrix

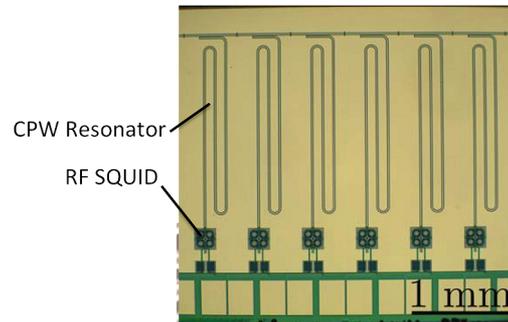
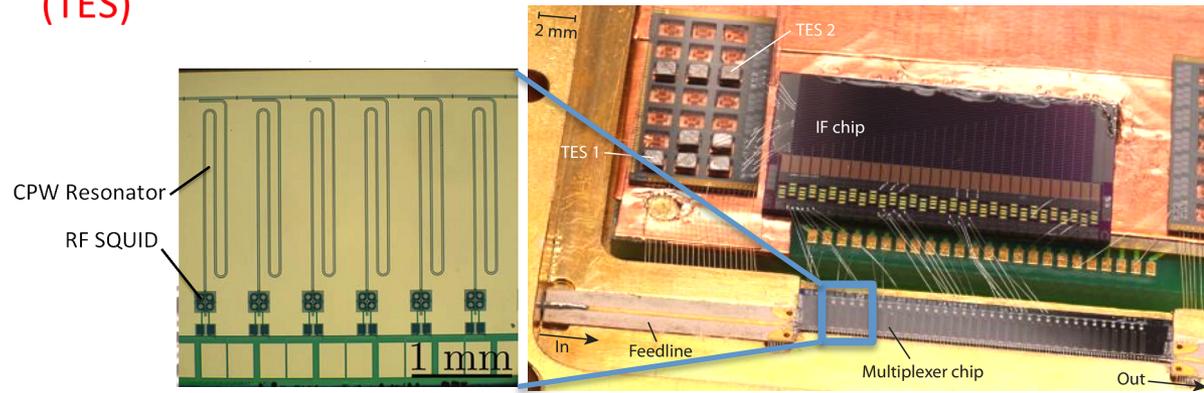
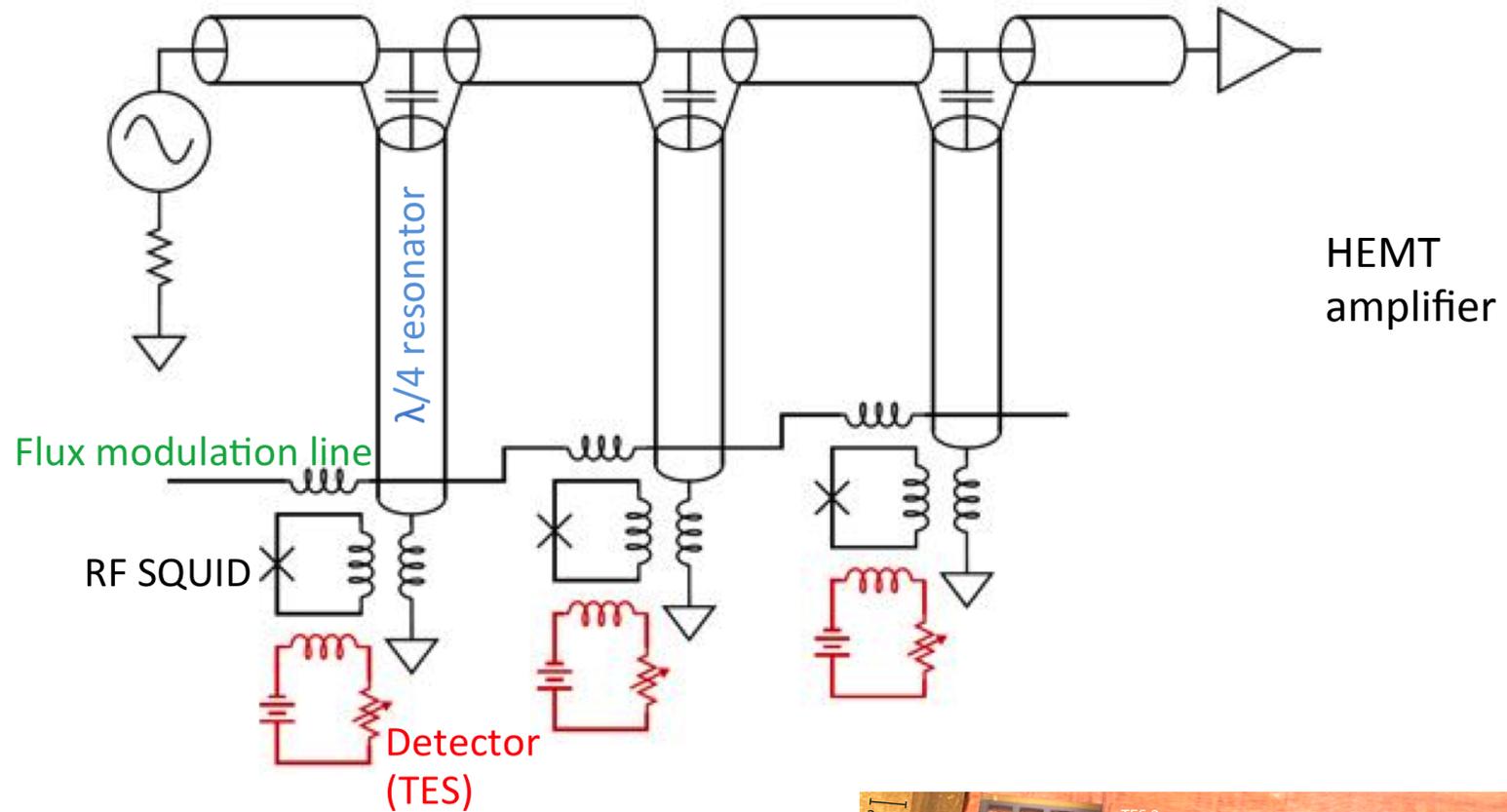


TDM/CDM more X-ray Surveyor?

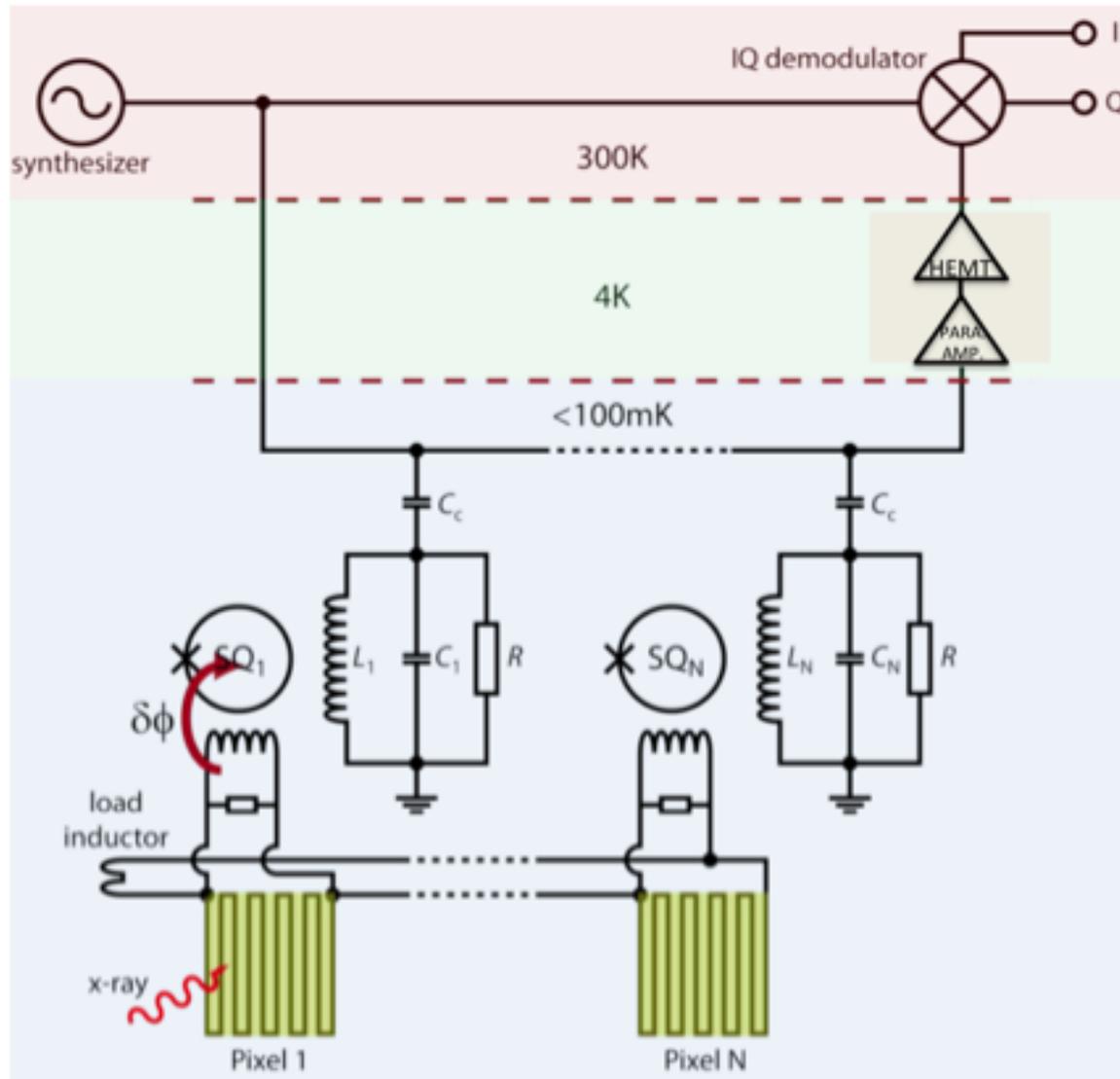
- If we assume “Hydra” approach, with ~ 25 absorbers per TES

=> the number of sensors needed to be read out (~3600) is the same as is currently proposed for the X-ray Integral Field Unit instrument on Athena (~3840)

Microwave (GHz) SQUID Resonators



Magnetic calorimeters with microwave SQUID read-out



Conclusions:

Basic initial approach: use position-sensitive thermal microcalorimeter, “Hydras”.
These have ~ 25 absorbers attached to each thermal sensor

Sensor: Either a transition-edge sensor (TES) or a magnetically coupled calorimeter (MCC)

With 5x5 array of absorbers attached to each sensor, 90k pixels read out with 60 x 60 array of thermal sensors

Read-out of pixels uses conventional time-domain multiplexing (TDM) or code domain multiplexing (CDM), or alternatively a microwave based multiplexing read-out.

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